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A N
E S S A Y
Towards illustrating the
S C I E N C E
O F
I N S U R A N C E.

Wherein it is attempted
To fix, by precise Calculation, several important Maxims upon this Subject;
To solve various Problems, and Cases of Contest;
And particularly
To balance, whether it be nationally advantageous to insure the Ships of our Foreign Enemies.

Addressed to the
Right Hon. HENRY PELHAM, Esq;

By the AUTHOR of
A LETTER from a BYSTANDER.

----- Prodesse quam conspici.

L O N D O N:
Printed in the Year M D C C X L V I I.



To the RIGHT HONORABLE

Henry Pelham, Esq;

S I R,

I HAVE the Honor to lay
 this ESSAY at your Feet,
 in public Testimony of my
 Gratitude, not only as a
 Subject in general of the *British* Do-
 minions, but as particularly indebted
 for distinguishing Acts of your Favor.
 Acknowledgments of this sort, I am
 sensible, are usually fresh Trespases;
 And that, whilst I seem to be offering
 my Gratitude, I am serving myself of
 new Advantages: ---- For if ever the
 prefixing of a *Great* and *Favorite*
 Name hath availed to a Work, This
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may justly presume on Success, under your Auspices; And hath assured to itself *Dignity* from your *Patronage*, and *public Esteem* from your *Approbation*.

Your superior Skill in the Commerce of your Country, fixes every Effay of this sort under your Dominion.--- For though your *high Station* gives you a *Power*, you derive from your *Abilities* an *Authority* much greater, over these Subjects. A Work, therefore, which pretends to bring new Light upon *Objects of Trade*, and to rectify the *Course of Business*, is justly to pay its Homage to You; And it is from your Decision upon it, that the World will be instructed to form their Sentiments.--- For so just is the public Deference, that it would unanimously have constituted YOU the *Judge*, if you had not condescended to be the *Patron*; --- And it is thus happy for me, in this Address, that what my fondest *Ambition* had vow'd, the strictest *Propriety* hath directed.

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'Tis yours, Sir, to direct the Finances of this Empire.--- Nobility of Descent, Influence in the Senate, superior Knowledge, and, what throws a *Lustre* upon all, the *Favor* of your PRINCE, have call'd You to this Station.--- These are shining Advantages, and they have also been eminently possess'd by many of your Predecessors.--- But what CHARM have You found to conciliate adverse Parties, and reconcile the Claims of haughty Competitors! Hereditary Resentments, and long Expectations of sweet Revenge, have all been relinquish'd by your Mediation; And the SENATE hath almost forgotten the *Voice of Envy* and *Discord*.--- The Great, of all Parties, have assented to your Power; And our intestine Divisions have all subsided upon your Direction of the Public.--- Our *Ancestors* labour'd under *Civil Dissentions*, and the Force of the State was rent by *personal Oppositions*, and *rival Attacks*: They wanted ONE *Superior* amongst them, as the common *Center of Union*,
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whose *Decency* and *Dignity* attracted universal Esteem, and in whose Power they could all concur. --- Happy for that Age, where this PERFECTION of CHARACTER shines; To whose Sentiments all have deferr'd their own, and unanimously confide in his clear *Probity* of Heart, and unbiass'd *Rectitude* of Judgment.

This hath not been more *glorious* for You, than serviceable to your PRINCE, and COUNTRY. The PROTESTANT SUCCESSION, our great PALLADIUM, hath acquired, from this general Attachment to You, the firmest Security. From your Influence, and upon a dutiful and upright Basis, MANY of the NOBLEST throughout the Kingdom engaged in the immediate Service of the Crown, jointly banishing their Disguists, and despising all false and mean Imputations: In the *Hour* of *Danger* they were found faithful, and exerted their important Force for the HOUSE of HANOVER, and the *Liberties* of their *Country*.

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But there is ONE, whose Merit in this *Junction* was the *Rival* of Yours: The *Benevolence* of his Nature, and his untainted *Integrity*, were of great Efficacy in cementing the *Union*. --- It would be new, that in any Instance of Zeal for the HOUSE of HANOVER, the DUKE of NEWCASTLE should not be of the foremost: In the Time of Anxiety his *active Watch*, and *undaunted Courage*, stood forth, as our public *Guard*: His powerful Influence then eminently appeared throughout the Nation; And his *riper Years* well supported the Cause, which his *early Youth* had gloriously vindicated.

This powerful and new *Coalition* of the noblest Families in concert with YOUR HOUSE, gave a general Confidence to the Friends of *Liberty*. --- REBELLION saw the Efficacy of it, to its Confusion; And where it falsely had flatter'd itself with Neutrality, found the warmest Friends to the HOUSE of BRUNSWIC: Hence despairing, it turn'd its Course, and shrunk

shrunken abash'd to the darkest Corner of the Land. --- Your Merit in this Event will be ever recorded by your grateful Country: For the *function*, so important at this Crisis, which was cordially made with *You*, would not have been obtained by *other Ministers*. --- Thus, instead of being torn by *Civil Divisions*, our *Enemies*, to their Astonishment, found us an *united People*; Nor could the PUBLIC CREDIT of *Britain* be shaken, for *YOU* was at the Helm. --- The *Rebels* then skulk'd in the *North*, till they obtain'd their Reward from the ILLUSTRIOUS YOUTH, sent forth for their *Scourge* by our ROYAL HERO; Who, as the *Soul* of the *State*, then animated his whole *People*.

Extensive *Authority* is now delegated to your Care, from the *Favor* of your *Prince*, and from the united *public Affection*; And it hath not been delegated, but for great Purposes: It would never have been committed, in such Plenitude, to the Direction of ONE, for common, or trivial Ends. ---

Atchievements are expected at your Hands, worthy of your Power. --- You have advanced far in ABOLISHING our PARTY DISTINCTIONS; --- If it be reserv'd for Mortal to accomplish, it belongs to You: --- Pursue the important Task; --- Continue your *Benevolence* to All equitably, and proceed to *enlarge* the *Pale*. --- You have the Body of the Great and the Good on your Side throughout the Nation: Their Wishes and Prayers attend your Progress; And You have already outstripp'd their fondest Hopes. --- It is an Object the nearest to your own Heart, and the most worthy of your Power; And will be the Completion of all your Glory.

There are other Atchievements also demand your *Sickle*, and wait to be gather'd to your full *Sheaf*: --- The REGULATION and ABRIDGEMENT of the BODY of our LAWS; -- The DISCOVERY and JUST APPLICATION of the Revenues of CORPORATIONS, HOSPITALS, and SCHOOLS, throughout the Kingdom. --- These are great and important Objects;

And there is yet ONE left *exposed*, which demands your *Piety*, -- To vindicate the NURSERIES of LEARNING from their *il-liberal Statutes*, and *narrow Exercises*; To open *Polite Education* to the *British Youth*, and to lead forth the SCIENCES and ARTS in an amiable Dress. It will be of public Ornament, and diffusive Benefit. --- Our YOUTH shall then seek no Refinement *abroad*, but owe the highest to their own Colleges *at home*: Other Nations shall come to draw at our SPRINGS, and find the SEATS of POLITENESS in *Your Britain*.

S I R,

Your most obliged,

And most obedient,

Bury-Street,
St. James's, London,
Aug. 14, 1747.

Faithful Servant,

CORBYN MORRIS.



P R E F A C E.

THE following Essay appears in public with the utmost Deference; --- It hath arisen from some accidental Remarks I made upon the Subject, which led me to perceive that it had a Fund the most extensive both of curious and useful Speculation. Upon this Light I sprung to the Work, though an absolute Stranger to the Practical Part of the Business. --- After I had set down the Points which my own Imagination suggested, a Conversation with a very ingenious and worthy Merchant opened to my View a new Variety of Topics, which I thought merited a clear Discussion and Solution. --- Our Sentiments upon these, I must own, were not consonant; his Notions being established by a long Course of Practice, and mine perhaps too fondly attached to a Set of new Principles. --- It is therefore proper to advertise the Reader, that he is to expect no Information concerning what are the present Customs, or Practice in this Business; but some Remarks concerning

cerning what ought to be, according to my Apprehension: And throughout the whole, an Endeavour to establish the just Maxims, not upon old Custom or Prejudices, but upon a fair open Footing of Reason and Equity.

It will be observed, I imagine, that the Rates of the Premia, and the Prices of Goods, in the Instances I have mentioned, do not correspond with the real Premia, or Prices, which occur in Practice: But this is not of Concern; The Method of Reasoning being the Point to be ascertained; And it being easy, when this is fixed, to substitute any different Premia, or Prices, and to draw just Conclusions from them in any Instance.

The defective Part of the Cargoe, or the Sea's Share, which are Terms frequently occurring in the following Essay, are to be understood to include, not only what is due to Shipwrecks, but also to Captors, and to all other Accidents upon the Sea.

It hath been constantly supposed in this Work, if 100l. be insured, and the Ship be lost, that this whole 100l. will be repaid by the Insurer: Whereas it is said to be the Course of Practice to stop 2 per Cent, and to pay only 98l. to the Insured. --- This will raise the Amount of the Premium, but not alter the following Methods of Solution. --- Thus, if the Premium be 10 per Cent, and 98l. is to be recovered for every 100l. which is insured, This Premium is then in reality 10l. upon 98l. And how much per Cent, or how much upon 100l. it is equivalent to, will be

be readily found by common Proportion: As 98:10::100:10.2. So that the Premium, in this Case, is really 10.2 per Cent; And substituting this new Value of the Premium instead of the former, the Question is easily solved by the Methods in this Essay.

The Mathematical Solutions which occur in this Work, however obvious they are, and easily attained, may be apt at first to appear formidable, and be imagined entirely unnecessary to the Subject. The same, I acknowledge, was my own Sentiment, when I entered upon this Work: But I soon found, that without the Aid of some higher Calculations, all must be left unsettled and loose, And bounded by general Guesses, instead of being accurately measured and limited. --- It is not therefore Affectation of Obscurity, but absolute Necessity, has introduced these Solutions, in order to demonstrate those perfect and clear Distinctions in the Subject, which justly raise it to the Dignity of a Science. --- But it hath been endeavoured to explain these Solutions by various Examples in common Life; And so much Pains hath been taken to render the whole intelligible, and to reduce it to the Level of common Arithmetic, that the Piece will have less Rank upon this Account, than it might otherwise pretend to: --- For I am very sensible, that the Condescension I have shewn to the many, will appear tedious to the few. --- But having the Public in general at heart, it has been my Ambition to be really useful, rather than be thought skilful.

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As to the latter Part of this Work, it contains Reasons, which appear conclusive to me, against our Insurance of the Ships of our Enemies. --- I am sensible, at the same time, that many Gentlemen of the greatest Abilities, and the most disinterested Love to their Country, have been of a contrary Opinion, and have regarded this Commerce as profitable to the Nation. ---- It will be acceptable, I am sure, to these Gentlemen, to see the Point examined to the Bottom; And if I have contributed to set a Truth of so great Importance in a full Light, I shall have their Applause; At least I have to hope, that my Endeavours, tho' mistaken, upon this Subject, will be candidly regarded, for the sake of the Public Zeal, by which they are inspired.

There will be found, through the whole, some Remarks, and Distinctions, which seem to have Novelty and Use to recommend them.--- Of this Sort are the Distinctions concerning the clear Capital, the Premium, and the whole Capital; The Rules for Insurance derived from them; And the Proof, that, upon a Footing of Equity, no Person hath a Right to insure so, as to recover the Premium, over and above his Expences. --- The Demonstrations, that the same Sum, either staked upon one, or spread upon many Voyages, equally hazardous, will be exactly of the same Value; And yet, that the Extension of the Voyages will continually effect the Mitigation of the Hazard. The Approximation of the successful and unsuccessful Voyages, the oftner they are repeated, to the original

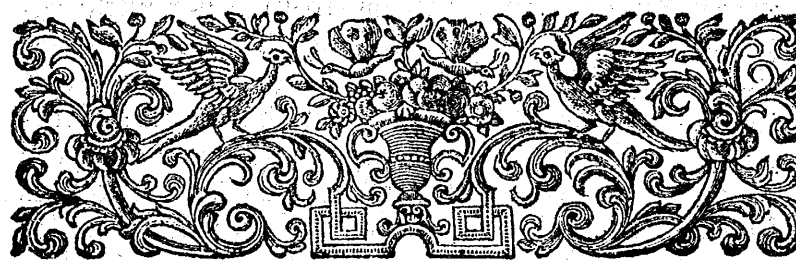
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ginal Proportion between the Stakes, with other various Remarks, which have not hitherto appeared, that I know, upon this Subject; And yet are Points of the most general Importance and Utility in the Science. ---- And lastly, the Adjustment of some curious and intricate Cases of Contest between Merchants themselves, and between them and Insurers; In which a new general Method of solving these Cases is invented, and submitted to Gentlemen of Business.



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Towards illustrating the

SCIENCE of INSURANCE.

INSURANCE, which I am now to treat of, is that *Aid*, whereby the national Commerce is supported, And the Casualties and Misfortunes incident to the industrious Merchant are mitigated. — It is by this Method of Security that any Person, having his Property standing out upon Hazard, is indemnified from all Loss, upon Payment of a fair Compensation; And the *Insurers*, in consideration thereof, take the whole Risk upon themselves, leaving the *Merchant* at liberty to urge his Commerce, with Quiet of Mind, with steady Pursuit, and with solid Credit.

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stead; Which demonstrates the general public Benefit derived from Insurance.

But, to explain more particularly the Consequences of the Extension of the Risk to several Voyages, it will be necessary to advance the following Propositions.

PROPOSITION I.

*If A risks 1000*l.* upon the Event of one Voyage, where the Odds in his Favour are in any Proportion, as 9 to 1; And B risks 100*l.* upon each of ten several Voyages, or 1000*l.* likewise upon the whole, the Odds in each Voyage being also in the same Proportion as in A's Adventure, Then will the Value of A's and of B's Expectations, upon the whole, be exactly the same; Notwithstanding the Property of A depends upon one Contingency, and the Property of B depends upon ten several Contingencies.*

DEMONSTRATION.

Imagine the Chances for A and for B are *nine* to *one* in their Favour, in each Voyage.

1. There being then *nine* Chances for A's winning, to *one* Chance for his losing, it follows that A is entitled to $\frac{9}{10}$ of the whole Sum adventured, upon a fair Composition; But the Sum adventured is 1000*l.* therefore the just Value of A's Expectation, upon his Adventure, is $\frac{9}{10}$ thereof, or 900*l.*

2. There being *nine* Chances for B's winning, to *one* Chance for his losing, in each Adventure, it follows that B is entitled to $\frac{9}{10}$ of each respective Sum, which is adventured, upon a fair Composition;

position; But the Sum adventured upon each Voyage is 100*l.* therefore the just Value of B's Expectation, upon each Adventure, is $\frac{9}{10}$ thereof, or 90*l.* And there being *ten* such Adventures, the Value of B's Expectation, upon the whole, is *ten* times 90, or 900*l.* which is exactly the same with the Value of A's Expectation. Q. E. D.

Another DEMONSTRATION.

Imagine *eleven* Persons, A, B, C, D, &c. to have each adventured 1000*l.* upon *eleven* different Ships, where the Odds for each Voyage to be prosperous are *nine* to *one*, being all exactly the same; It is then evident, that the Values of A's and B's Expectations, and of all the rest of the Adventurers, are exactly equal.

Imagine now, that the *ten* last Persons, B, C, D, E, &c. all sell their entire Expectations to *one* Purchaser, L; It is then evident, that the total Value of L's Expectation is equivalent to all their Expectations together, and decuple the Value of A's Expectation.

Imagine again, that L sells out his whole Expectation in *ten* Lots, to *ten* Persons, Q, R, S, T, &c. each Purchaser to be entitled to $\frac{1}{10}$ Part of the Result of each of the *ten* Events; It is evident then, that in lieu of the former *ten* Persons, B, C, D, E, &c. each of whom stood the Risk of *one* whole Voyage himself, here are now substituted *ten* other Persons, Q, R, S, T, &c. each of whom stands the Event of $\frac{1}{10}$ Part of each of the *ten* Voyages. But the Value of the Expectations of each of these last, is equal to the Value of the Expectations of each of the former; For if Q's Expectation be less valuable than B's, then the total Value of the Expectations of Q, R, S, T,

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T, &c. is also less valuable than the total Value of the Expectations of B, C, D, E, &c. But that cannot be, because then the Value of the Expectation of L would be less also. Neither can the Value of Q's Expectations be greater than the Value of B's; For then the total Value of the Expectations of Q, R, S, T, &c. would be greater than the Value of L's Expectation. — Therefore the Values of B's and Q's Expectations are exactly equal, being both equal to $\frac{1}{10}$ of the Expectation of L. Therefore if B be substituted in the Place of Q, that is, if B's Adventure be extended to ten different Voyages, the Value of A's and B's Expectations will be still equal. Q. E. D.

PROPOSITION II.

If A has wagered 1000l. against 1000l. of his Adversary's, upon the Event of one Voyage, where the Odds are 9 to 1 in A's Favour; And B has wagered 100l. in the same manner, upon each of the several Events of ten different Voyages, amounting in the whole to 1000l. also, the Odds in each Voyage being likewise 9 to 1 in his Favour; Then are the Values of A's and of B's Expectations exactly equal by the foregoing Proposition. — And yet, the Probability that A is a Winner, is evidently no more than 9 to 1; whereas the Probability that B is a Winner, is above 610 to 1. — Again, it is no more than 9 to 1, that A does not lose the whole; whereas it is 9,999,999,999 to 1, or near 10,000,000,000 to 1, that B does not lose the whole.

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DEMONSTRATION.

The Probability of A's being a Winner, is laid down to be $\frac{9}{10}$ in the Proposition, and his Adventure depending upon one single Event, without further Expansion or Complication, the Chances are not altered.

To determine next the Probability of B's being a Winner, it is to be considered, that his Adventure is extended to ten different Voyages, from whence the following eleven Varieties of Events are liable to happen, opposite to each of which the Number of Chances for its happening are here subjoined.

<i>Varieties of Events.</i>	<i>Number of Chances for each Variety to happen.</i>
1 — to win all ten	3,486,784,901
2 — win nine and lose one	3,874,204,890
3 — win eight and lose two	1,937,102,445
4 — win seven and lose three	573,956,280
5 — win six and lose four	111,602,610
6 — win five and lose five	14,880,348
7 — win four and lose six	1,377,810
8 — win three and lose seven	87,480
9 — win two and lose eight	3,645
10 — win one and lose nine	90
11 — lose all ten	1
Total Number of Chances for all the Varieties	} 10,000,000,000

These Varieties, and the Number of Chances for each, are readily obtained, by putting *a* for the Number of Chances for B's winning each Voyage, and *b* for the Number of Chances for his losing each

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each Voyage; Then as there are ten Voyages to be determined, raise the Binomial $a + b$ to the tenth Power, viz. $a^{10} + 10a^9b + 45a^8b^2 + 120a^7b^3 + 210a^6b^4 + 252a^5b^5 + 210a^4b^6 + 120a^3b^7 + 45a^2b^8 + 10a^1b^9 + b^{10} = (a + b)^{10}$. — In which the respective Varieties, and the Number of Chances for each, are distinctly exhibited.

It is here evident, that if B wins *six* or more of the *ten* Voyages, he becomes a Winner upon the whole; And it appears from the foregoing Table of the several Varieties of Events, that the Number of Chances for B to win *six* Voyages at least, is 9,983,650,626; For it includes, besides the Chances for winning *six* Voyages exactly, all the Chances for winning any greater Number of Voyages than *six*, and consequently all the Chances for the first *five* Varieties to happen. — On the other hand, all the Chances for B's gaining less than *six* of the Voyages, which are the whole Number of Chances for the *six* last Varieties, or for B's not winning upon the whole, are 16,349,374. — But 9,983,650,626 is to 16,349,374 as $610\frac{2}{3}$ nearly to 1; Which are the Odds for B's winning upon the whole, agreeably to what is asserted in the Proposition. Q. E. D.

If, instead of B's being a Winner upon the whole, it be demanded, what are the Odds of his not being a Loser upon the whole, they will then still be greater in his Favour; For he will be in the Circumstance of no Loser, if he wins at least *five* of the Voyages, wherefore the Number of Chances for the *sixth* Variety are to be added to the Chances favourable to B in the preceding Instance, Which will make the Odds 9,998,530,974 to 1,469,026, or nearly 6806 to 1, that B is not a Loser.

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As there is only 1 Chance for the last Variety, it is 9,999,999,999 to 1, or near *ten thousand Millions* to one, that B does not lose all the *ten* Voyages.

If B wins no more than *four* Voyages upon the whole, he will be a Loser; But the Number of Chances for his winning *four* Voyages at least, is the Sum of the Chances for the *seven* first Varieties, which Sum is 9,999,908,784. And the Number of Chances for his winning less than *four* Voyages, is the Sum of the Chances for the *four* last Varieties, which is 91,216. So that the Odds are 9,999,908,784, to 91,216, or nearly as 109,628 to 1, that B loses not more than *four* Voyages.—Although even in this Circumstance of losing *six* Voyages and winning *four*, against which the Odds are so prodigious, he will be only a Loser of 200*l*, or of $\frac{1}{5}$ of his Stake; an equal Sum to his own, being supposed to be staked by his Adversary against him upon each Voyage.

It might appear incredible, was it not supported by precise Calculation, that B, from this Expansion of his Adventure, to only *ten* separate Voyages, should be so much more liable than A, to be a Winner, and so prodigiously less subject, than A, to be a Loser; And yet, that the Values of their Expectations should still be exactly equal.

But the Reason of this will immediately appear, by examining the Advantages which B has relinquished, by this Expansion of his Adventure, and which Advantages still continue to A. These principally consist in B's having relinquished the great Probability, which A retains, of winning the whole; For it is 9 to 1 that A wins the whole; Whereas the Odds, instead of being in Favour of B's winning the whole, are against it; It being 6,513,215,599 to 3,486,784,401, or almost 2 to 1, that B does not win the whole. And the

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Chances, which B thus loses, for gaining all, being the most valuable Chances, are compensated by a much larger Number for winning various Parts of the whole; In order to preserve the Value of both their Expectations still equal.—

But it will be proper, that this *Compensation* should precisely appear.—Recurring then to the foregoing Table of the several Varieties, and the Number of Chances for each Variety, it appears, 1. That B has a certain Number of Chances for winning all the *ten Voyages*, which are 3,486,784,401 Chances.

2. B has 3,874,204,890 Chances for winning *nine Voyages*, or for winning 900 *l*; Each of which Chances is only equal to $\frac{9}{10}$ of a Chance for winning 1000 *l*, or for winning the whole *ten Voyages*.—Therefore these 3,874,204,890 Chances for *nine Voyages*, are equivalent only to $\frac{9}{10}$ of their Number, or to 3,486,784,401 Chances for winning the whole *ten Voyages*; And $\frac{3874204890}{10000000000}$ of *nine Voyages*, is only equal to $\frac{3486784401}{10000000000}$ of *ten Voyages*.

3. B has 1,937,102,445 Chances for winning *eight Voyages*, which are only equivalent to $\frac{8}{10}$, or $\frac{4}{5}$ of the same Number of Chances, that is to 1,549,681,956 for winning the whole *ten Voyages*.

4. The Number of Chances for B's winning *seven Voyages*, are 573,956,280, which are equivalent only to $\frac{7}{10}$ of the same Number of Chances, or to 401,769,396 Chances, for winning the whole *ten Voyages*.

5. The Number of Chances, which B has for winning *six Voyages*, are 111,602,610, which are equivalent to only $\frac{6}{10}$ or $\frac{3}{5}$ of the same Number of Chances, that is to 66,961,566 Chances for winning the whole *ten Voyages*.

6. The Number of Chances for B's winning *five Voyages*, is 14,880,348, which are equivalent to only $\frac{5}{10}$ or $\frac{1}{2}$ of the same Number of Chances, that is

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is to 7,440,174 Chances, for winning the whole *ten Voyages*.

7. The Number of Chances for B's winning *four Voyages*, which are 1,377,810, are equivalent to $\frac{4}{10}$ or $\frac{2}{5}$ of the same Number of Chances, that is to 551,124 Chances for winning all the *ten Voyages*.

8. The Number of Chances for B's winning *three Voyages*, are 87,480, of which $\frac{3}{10}$ are 26,244 Chances.

9. The Number of Chances for B's winning *two Voyages*, are 3,645, of which $\frac{2}{10}$ or $\frac{1}{5}$ are 729 Chances.

10. The Number of Chances for B's winning *one Voyage*, are 90, from whence it appears, that the Probability of his gaining *one Voyage* precisely, and no more, is $\frac{90}{10000000000}$, to which $\frac{1}{10}$ of the same Probability, or $\frac{9000000000}{10000000000}$, for gaining the whole *ten Voyages*, is equivalent.

Therefore all the Chances belonging to B, through the several Varieties into which his Adventure has been spread, appear to be exactly equivalent to the following respective Chances for winning the *ten Voyages*.

	Number of Chances for winning <i>ten Voyages</i> .
1 — Variety — as before	3,486,784,401
2 — Variety — equivalent to	3,486,784,410
3 — Variety — equivalent to	1,549,681,956
4 — Variety — equivalent to	401,769,396
5 — Variety — equivalent to	66,961,566
6 — Variety — equivalent to	7,440,174
7 — Variety — equivalent to	551,124
8 — Variety — equivalent to	26,244
9 — Variety — equivalent to	729
10 — Variety — equivalent to	9
Total Number of Chances	9,000,000,000

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Therefore the whole Value of B's Expectation from all the Varieties, being contracted to the Circumstance of winning, or losing all the *ten* Voyages, As A's is, appears to be $\frac{1}{10}$, or $\frac{1}{10}$, which is exactly equivalent to the Value of A's Expectation.

This Extension of B's Adventure to *ten* different Voyages, though it evidently alters not the *Value* of his Expectation, yet it greatly diminishes his *Risk* of either winning, or losing all; And removes his Property out of that desperate Hazard in which it was involved, whilst it rested only upon *one* Event.—Indeed A has the greater Probability of winning all, but B has immensely the greater Probability of being a Winner. A ventures at all, or none, and he hazards prodigiously the most.—Whereas B hazards excessively little; And the Extension of his Adventure has all the Effect of the highest Prudence, in resigning a great Part of his Chances for gaining all, and obtaining, in Return, a prodigiously larger Number for gaining more than he loses; Whereby he preserves to himself, upon the whole, almost a sure moderate Advantage.

The Extension of B's Adventure, and the additional Security he derives from it, affords a Demonstration of the Prudence of that common Maxim, *not to venture all upon one Bottom*. And if B, instead of engaging upon an equality of Stake, only in *ten* different Voyages, had extended himself to *twenty* Voyages, wagering upon each *50 l*, And having the same Odds upon each in his Favour, The Probability of his winning, upon the whole, would have been still further immensely increased; Though the Likelihood of his winning all, or of his being so great a Winner, would have been diminished.

It is here always to be remembered, that this Reasoning proceeds upon the Supposition that the Odds in each Voyage are in Favour of B.—For if B has the Odds against him in each Voyage, then, by extending his Adventure to a great Number of Voyages, instead of resting it upon *one*, the Probability of his losing *all* will indeed be much lessened. In lieu of which, the Probability of his losing *upon the whole*, will be prodigiously augmented; so that, though he will not play so deep as before, yet he will more absolutely relinquish all Hopes of Gain, and tie himself almost to a Certainty, of being upon the whole, a Loser; which in this Respect is playing more desperately, though not more deeply, than he would do by adventuring upon *one* Voyage.

But it is duly to be observed, that the foregoing Propositions and Remarks are all founded upon the Supposition, that the two Adventurers A and B each stake an equal Sum upon every Voyage or Game; in which Case the Superiority of Chances on the Side of A, in each Voyage or Game, would give him, upon the Extension of his Risk to several Voyages, that superior Probability of winning upon the whole, which hath been already delivered: Whereas, in Cases of *Insurance*, the *Insurer*, who has generally the greater Number of Chances in his Favour, lays down in return a proportionably greater *Stake*, in order to compensate the Advantages he draws from the superior Number of Chances.

Thus, since in every Voyage it may be conceived that the Contention for the Cargoe lies between the Sea and the Merchant; Or, if the Cargoe is insured, between the Sea and the Insurer, the latter taking upon himself the Risk of the Merchant, suppose the Premium upon a Voyage to be *10 per Cent*. it appears then that the Merchant allows

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lows his own Share of the Cargoe, upon a fair Composition, to be only 90 *per Cent.* and that the Sea's Share of the Cargoe is 10 *per Cent.* The Insurer therefore, who receives the 10 *l.* for the Premium, and is responsible for the whole 100 *l.*, evidently stakes 90 *l.*, and the Sea 10 *l.*, in this Contention. But the Number of Chances for the Voyage to succeed are allowed to be 90, and for the Voyage to fail are 10; so that the Odds in the Chances are 9 to 1 in favour of the Insurer, and in the Stakes are 9 to 1 in his Disfavour.

The Values of the Expectations of the Insurer and the Sea appear thus to be exactly equal to their respective Stakes. — For, since in each Voyage, out of every 100 *l.* staked the Insurer is responsible for 90 *l.*, And 10 *l.* only of the Stake belongs to the Sea, and there being 9 Chances to 1 in favour of the Insurer, it follows, that the Value of his Expectation is $\frac{9}{10}$ of the whole Stake, or $\frac{9}{10}$ of 100 *l.* which is 90 *l.* And the Value of the Expectation of the Sea is $\frac{1}{10}$ of the whole Stake, or 10 *l.*; Which demonstrates, that the Stakes of each are exactly equal to the Value of their respective Expectations; and that each has the same fair Equivalent for his Stake, in proportion to the Sum which he adventures.

Upon the Expansion of the Risk to *ten* Voyages, the Chances for the several Varieties to happen have been accurately determined under the foregoing Propositions; but whereas there A would be a Winner upon the whole, if he won more Voyages than he lost, the Insurer will not be a Winner unless he wins all the *ten* Voyages; and he will be no more than a *Saver* by winning *nine* of these Voyages, that is $\frac{9}{10}$ of the whole Number of Voyages, proportionably to his Share of the Stake, which is $\frac{9}{10}$ of the whole. — For the Insurer has staked upon the *ten* Voyages ten times 90 *l.* or 900 *l.* and if he wins *nine* Voyages, he will recover 900 *l.*

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900 *l.* which will leave him a *Saver*: On the other hand, if the Sea wins $\frac{1}{10}$ of the whole Number of Voyages, or 1 Voyage, he will recover 100 *l.*; Being also the whole which the Sea has staked upon the ten Voyages.

And universally in all Cases, whatever be the Insurer's Proportion of the whole Stake, the same Proportion of Voyages out of the whole must succeed, in order to constitute him a *Saver*.

Imagine that there are *two* Insurers, the first of which risks the Sum of 800 *l.* upon *one* Voyage, where the Odds are $66\frac{2}{3}$ to $33\frac{1}{3}$, or 2 to 1, in his Favour; and consequently the whole Value insured is 1200 *l.* of which he receives 400 *l.* for the Premium.

The 2d Insurer risks the same Sum of 800 *l.* upon *twelve* such different Voyages, or $66\frac{2}{3}$ *l.* upon each Voyage, the Odds being also 2 to 1, as before, that each Voyage succeeds; and this 2d Insurer, upon the whole 12 Voyages, having received twelve times $33\frac{1}{3}$ *l.* or 400 *l.* for the Premium, the whole Stake being also, as before, 1200 *l.* of which his own clear Share is 800 *l.*

'Tis demanded here, what are the respective Expectations of the 1st and the 2d Insurer?

It is first certain, that the *Values* of their respective Expectations are both equal, and that each amounts to 800 *l.* exactly.

In regard to the 1st Insurer, as he has ventured all upon *one* Voyage, he is absolutely certain to win, or to lose all, without any Mitigation. The Probability of his winning all is $\frac{2}{3}$, and that he loses all the Probability is no greater than $\frac{1}{3}$.

To determine the Value of the several Expectations of the 2d Insurer, upon the Extension of his Risk to *twelve* Voyages, the Binomial $a+b$ is to be raised to the 12th Power, a , or 2, being the Number of Chances for his winning each Voyage, and

and b , or 1 , the Number of Chances for his losing each Voyage.

Varieties of Event.	Number of Chances for the respective Varieties.
1 - To win all 12 Voyages	a^{12} 4,096
2 - To win 11 and lose 1	$12a^{11}b^1$ 24,576
3 - To win 10 and lose 2	$66a^{10}b^2$ 67,584
4 - To win 9 and lose 3	$220a^9b^3$ 112,640
5 - To win 8 and lose 4	$495a^8b^4$ 126,720
6 - To win 7 and lose 5	$792a^7b^5$ 101,376
7 - To win 6 and lose 6	$924a^6b^6$ 59,136
8 - To win 5 and lose 7	$792a^5b^7$ 25,344
9 - To win 4 and lose 8	$495a^4b^8$ 7,920
10 - To win 3 and lose 9	$220a^3b^9$ 1,760
11 - To win 2 and lose 10	$66a^2b^{10}$ 264
12 - To win 1 and lose 11	$12a^1b^{11}$ 24
13 - To lose all 12 Voyages	b^{12} 1
<hr/>	
$a+b$ ¹² = Total 531,441	

It is first to be observed, that as the Stake of the 2d Insurer is $\frac{2}{3}$ of the whole Stake, the Number of Voyages he is to win must be $\frac{2}{3}$ of the whole Number, or eight Voyages, in order to constitute him a Saver.

If he wins exactly *eight* Voyages, and loses four, he will neither be a Winner nor Loser; and it appears, that there are 126,720 Chances out of 531,441, or in the Proportion of almost 24 Chances out of 100, for this Event.

The Number of Chances for his winning more than *eight* Voyages, are to the Number of Chances for his losing more than *eight* Voyages, as 208,896 to 195,825: So that, rejecting the Chances for his being barely a *Saver*, the Odds are, that he is a Winner rather than a Loser; and it is 335,616 to 195,825, or about 8 to 5, that he is either a Winner, or at least a Saver.

If

If he is a Loser upon the whole, it is evident, that he may lose 5, 6, 7, 8, 9, 10, 11, or all the 12 Voyages: But it is 436,992 to 94,449, or above 9 to 2, that he does not lose more than *five* Voyages; in which Case he will only be deficient by *one* Voyage of his just Proportion. And it is 496,128 to 35,313, or above 14 to 1, that he does not lose more than *six* Voyages; In which Case he will be deficient of his just Proportion of successful Voyages by no more than *two*; so that it will be above 14 to 1 that he does not lose 200*l*, or $\frac{1}{4}$ of his Stake.

It is also evidently 531,440 to 1 that he does not lose all; And the Odds for his winning, at least *three* or *four* Voyages, are also prodigiously great; Whereas it is no more than 2 to 1 that the 1st Insurer does not lose all.

It appears therefore, from precise Calculation applied to the Case of Insurance, that by the *Expansion* of the Risk to *twelve* Voyages, the 2d Insurer relinquishes a great Part of the Probability, which remains to the 1st, of winning the whole. In lieu of which, the Hazard of his losing all, or near all the Voyages, to which the 1st Insurer is liable, is almost entirely cancelled. The 2d Insurer also preserves all the while Odds in his Favour, that he is a Winner, rather than a Loser; And that if he happens to be a Loser, his Loss shall be very moderate. Whence it is evident, that he hazards much less than the 1st Insurer; And that upon the whole he runs very little Risk of his Property by this wide-bottomed Insurance.

If the Proportion of the Chances for the winning and losing of each Voyage be greater in favour of the Insurer, and if his Risk be expanded to any large Number of Voyages, he will always preserve Odds on his Side, that he is a Winner, rather than a Loser. Though the *greater* the Number of Voyages, the *greater* the Probability will be, that he

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shall

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shall be *less* a Winner; and if a Loser, that he shall be *less* a Loser. And, after an *infinite* Number of Voyages, the Proportion of successful ones, to those which are unsuccessful, will approach to the original Proportion of the Odds for winning and losing in each Voyage, or to the respective Stakes, so as to reduce the *Insurer* and the *Sea* to the Terms of being both *Savers*.

Thus, as in the *Contraction* of the Adventure to *one* Voyage or Trial, the Hazard is the *greatest* it can be on either Side, being confined to the winning or losing of *all*, without Mitigation; so, in the *Expansion* of the Adventure to an *infinite* Number of Voyages, the Hazard is the *least*, as it then utterly vanishes; The *Insurer* and the *Sea* both acceding to the Terms of being *Savers* by the Distribution of the Voyages between them, in proportion to their respective Stakes upon each Voyage.

'Tis here obvious to remark, that in all Cases, from the *Contraction* of the Adventure into one Voyage, to the *Expansion* of it into any Number of Voyages, the *Values* of the Expectations of the *Insurer* and of the *Sea* are not altered, but are each constantly equivalent to the respective Sums they have staked; And that, even in an infinite *Expansion* of the Adventure, this continues to hold true, where the Voyages, and consequently the Stakes, fall to each of the Adventurers exactly in this Proportion.

The *Insurer* thus demonstratively incurring very little or no Hazard, who extends his Adventure to a great Number of Voyages, it now evidently appears, that the general Anxiety and Distress is much diminished by *Insurance*; and that the *Merchant* is thereby relieved, and the *Insurer* not liable to be crushed in his stead.—It now also appears in a full Light, that *Societies* of Men, who have acquired

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quired competent Estates, and are retired from Trade, may safely and prudently engage in insuring the Properties of others, which are standing out upon Risk, without drawing thereby their own Estates into Hazard: And therefore they are not justly liable to be ranked upon the footing of *Gamesters*, whose Properties stand upon a precarious Foundation.—From the joint Engagement of such *Societies* in *Insurances*, the Public derives very great Advantages; And the Estates of these Persons, although they have retired from Trade themselves, are still employed in supporting the national Commerce.

It may possibly be urged in this place, that since the *Insurer* and the *Sea*, in a large Number of Voyages, will approach nearer and nearer to the Proportion of being both *Savers*, nothing is to be gained by a long Course of *Insurance*; and that a Person who has followed this Business during his Life, may, at the End of all his Accounts, find himself neither a Winner nor Loser.

To which it is to be answered, 1. That though, in a great Number of Voyages, the Proportion of successful ones for the *Insurer*, to those which are unsuccessful, will approach nearer and nearer to the original Proportion between the two Stakes; yet the Difference between the Number of successful and unsuccessful Voyages will be still greater and greater unto an infinite Number of Voyages: In which Case this Difference will vanish, or be nothing, in respect to the whole Number of Voyages.

Thus, suppose there be at first the Proportion of 3 to 1, which is continually to accede nearer to 2 to 1; Upon the first *Expansion* of the Terms let this Proportion become 25 to 10; Upon a larger *Expansion*, 220 to 100; And upon a still larger *Expansion*, 2100 to 1000.—It is here evident, that the Proportion continually accedes nearer and

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nearer to 2 to 1; And the Difference between the two Terms of the Proportion, is still a lesser and lesser *Part* of the whole, though its *Sum* be greater. And in a large Number of Voyages, though the Proportion between the successful and unsuccessful ones will still accede nearer and nearer to the Proportion between the two Stakes, yet the Odds will be vast, that there shall be a considerable Difference, or Deviation, from this exact Proportion.

This Difference will prevent the Insurer and the Sea from being exact Savers, and therefore obviates in some Measure the foregoing Objection to the Business of Insurance: For the Difference will still subsist, and be a greater and greater Sum, though a less Share of the whole, unto an infinite Number of Voyages; When its Share of the whole will be infinitely diminished, or become nothing; The Voyages then falling to the Insurer and the Sea, in proportion to their respective original Stakes, which will constitute them both Savers.

But it may now still be urged, upon what is admitted, that though there will be a Difference in the Proportion of the Voyages from the Proportion of the Stakes, And consequently a Gain on one Side or other, and not an exact Saving to both Sides; Yet that this Gain will be a very small Part of the whole Stake which is adventured; And consequently that an Insurer, after a long Course of Business, will find himself very little a Gainer, or Loser, in respect to the total Amount of all his Stakes; And the longer he follows the Business, the lesser Share will his Dividend of Profit or Loss be upon the whole Sum he has adventured.

This would certainly be true, if the *Premium* was *entirely* the *Sea's Share* of the Cargo; And it would then be the Case at the long Run, that the whole Body of Insurers would find their Dividend of Profit or Loss to be extremely little, upon the whole

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whole Amount of their Business; Which naturally results from the continual *Mitigation* of the *Hazard*, by the *Expansion* of the *Voyages*. This, however, would elevate the Merit of *Insurance*, as a safe disinterested Scheme for the Public Utility; And remove from it the injurious Reproach of being a precarious System of *Gaming*.

But, 2. As the Insurer hath a *Profit* in the Premium, over and above what he is responsible for to the Sea, this Profit, in its continual Operation upon a great Number of Voyages, becomes considerable; And removes all Fear from those who pursue the Business, that upon the Balance of their Accounts they shall only be Savers.

If the Number of Chances for a Voyage to succeed, and to fail, are severally given, the *defective Part* of the Cargo, or the *Sea's Share*, is consequently assigned.—Thus, if 9 Voyages out of 100 are found by Experience to fail upon a Medium, then the Part which must be esteemed to be *defective*, or be allowed to be *lost*, upon a Medium, out of every Cargo, is $\frac{9}{100}$, or 9 per Cent.

And reciprocally, if 9 per Cent. be known to be the *defective Part*, or the Part which, upon a Medium, must be allowed to be *lost* out of every Cargo, it is evident, that 9 Voyages out of 100 are found to fail by Experience. If then 9 per Cent. be the *defective Part* of a Cargo, there must be something more, as suppose 1 per Cent allowed to the Insurer for his Profit, in which Case the *Premium* will be 10 per Cent. And in all Cases, the *Premium* is to be understood to consist of the *defective Part*, and of the *Insurer's Profit*, together; The Remainder is the *clear Capital*.

It is evident, from the foregoing Instance, that if the Insurer was only to receive the *defective Part* of the Cargo, it would be no Advantage to him to pursue the Business: The 9 per Cent, or the *defective*

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fective Part, being only a bare equivalent to him, for the Loss which he becomes engaged to repair. Therefore some Profit over and above the *defective* Part, is justly to be allowed to the Insurer for his Trouble; And the *defective* Part, and this Profit, together, constitute the *Premium*; And the Remainder of the Cargoe is the *clear Capital*.

It is evident, although there have been no sufficient Experiments collected of the Success or Failure of a particular Voyage, that if the *Premium* be settled and agreed to between the Insurer and Insured, the Chances for the happening and the failing of that Voyage, including the Insurers Profit, are fixed and allowed between the two Parties.—Thus if the *Premium* be 10 *per Cent*, out of this is to be deducted the Insurer's Profit, which suppose to be 1 *per Cent*; The Remainder, or 9 *per Cent*, is the *defective* Part; which shews that there are esteemed to be 91 Chances for the Success of the Voyage, to 9 Chances for its Failure.

There are many Debates concerning the Manner in which Insurances ought justly to be made, particularly whether the *Premium* ought to be included in the Insurance.—To assign therefore one general Rule for all Circumstances, *The INSURANCE, in all Cases, ought justly to be so made, As that the INSURED, upon the Balance of the Account, may only obtain his clear CAPITAL.*

This is the equitable Rule in all Cases.—For thus the Insurer will recover his whole Right, And fall under no Temptation to fraudulent Practices.—Thus, suppose I have a Cargoe coming from the *West-Indies*, which, if it arrives safe, will be worth 100 *l.* here, And that the *Premium* for Insurance upon the Ship is 10 *per Cent*; It is then plain, that my *clear Capital* is 90 *l.*; And that I shall act justly in insuring my

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my *whole Capital*, that is, the *clear Capital* and the *Premium* together, or the whole 100 *l.*; —For if the Voyage succeeds, I receive 100 *l.* from the Cargoe, and have paid 10 *l.* for the *Premium*, which leaves me my *clear Capital* of 90 *l.*—If the Voyage fails, I receive 100 *l.* from the Insurer, And have paid 10 *l.* for the *Premium*, — So that in either Case of the Success, or Failure of the Voyage, by insuring my *whole Capital*, I exactly recover my *clear Capital*, And have no Advantage from the Loss of the Vessel.

But there are some, particularly *French* Merchants, who, if they have a Cargoe coming from the *West-Indies*, which, upon its safe Arrival, will be worth 100 *l.* And where the *Premium* is, suppose, 10 *per Cent*, insure so, as to obtain their *whole Capital*, or the whole 100 *l.* upon the Balance of the Account. — Thus the Sum they would insure in this Instance, would be 111 *l.* $\frac{1}{9}$; For the *Premium* upon this Sum of 111 *l.* $\frac{1}{9}$, after the Rate of 10 *per Cent*, is 11 *l.* $\frac{1}{9}$; so that upon the Loss of the Ship, they would recover 100 *l.* clear, over and above repaying to themselves the *Premium*.

In which Instance it is easy to observe, that it will be better for the insured Merchant, that the Ship be lost; For in that Case he will recover from the Insurers the whole 100 *l.* clear of all Expenses, or not only his *clear Capital*, but the *Premium* also.—Whereas if the Ship arrives safe, he obtains only his Cargoe of 100 *l.* and loses the *Premium*; that is, he recovers no more than 90 *l.* or only his *clear Capital*.

And from hence arises a very reasonable Objection to the Admission of such Insurances, In that the Adventurer ought not to have his Advantage lie in the Loss of the Voyage, which may be an Inducement to very bad Practices.

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There are, however, many Persons, who will argue, that if they have any Capital, as 1000*l.* risked upon a Voyage, it is just for them to insure such a Sum, as that they may recover the whole 1000*l.* besides all the Expences of the *Premium*.—And as this is a Point which continues in Debate, it will be of use to demonstrate strictly, that no Person, in such Case, has a Right to insure so, as to recover the whole 1000*l.* upon the Balance of the Account, that is, to recover both the *clear Capital* and the *Premium*.

DEMONSTRATION.

Imagine, that the *whole Cargoe* standing out upon Adventure, will be worth 1000*l.* if it arrives safe at Home; and that there are *ten* such Voyages out of 100 fail upon a Medium; Now in every Adventure of this Sort, it may be justly conceived, that there is a Contention between the *Merchant* and the *Sea* for the Cargoe; And that the Odds for the *Merchant* to win are 90 to 10, or 9 to 1; Then it is evident, that upon a fair *Composition* between them, the *Merchant* is entitled to $\frac{9}{10}$, and the *Sea* to $\frac{1}{10}$, of the Cargoe. Therefore, upon a fair *Composition*, the *Merchant* has a Right to be secured in $\frac{9}{10}$ of the Cargoe, or in 900*l.* as his *clear Capital*; And the *Sea* has a Right to be secured in 100*l.* upon a fair *Composition*, as his *clear Capital*. But by *Insurance* the *Merchant* actually enters into such a *Composition*, though not with the *Sea* directly, yet with the *Insurer*, who undertakes to be responsible for the *Sea*, and engages to secure the whole Cargoe, or the Value of it, to the *Merchant*, at all Adventures, upon the *Merchant's* first paying to him the 10 *per Cent*, or the *Sea's* Share out of it, as the fair *Premium* for the *Composition*.—This is evidently just and

and equitable.—But if the *Merchant*, instead of being content with this fair Distribution, insures so as to recover, clear to himself, the *whole Cargoe*, that is, not only his only *clear Capital*, but the *Premium* also, It is evident, that he is upon a Plan of securing to himself, in case of Failure of the Voyage, not only his *own Share* of the Cargoe, but also the *Sea's Share*,—To which he has no Right; And he may as justly take upon himself to insure any *other Merchant's* Cargoe in the same Ship, as he may to insure so as to recover this *Premium*, which is the *Sea's Cargoe*. Therefore, since the Arguments for the Right of insuring, so as to recover the *Premium*, have arisen from a false Notion of the *Merchant's* Right to the *whole Cargoe*, as it now appears that the *Merchant* has no Right to the *whole Cargoe*, he has consequently no Right to insure so as to recover the *Premium*. Q. E. D.

This Demonstration supposes the *Premium* to be exactly the *Sea's Share* of the Cargoe, and no more; And it is probable, from the great Number of *Insurers*, that the Rate of Insurance, or the *Premium*, is reduced very low, so as that the *Insurer* has no more than a small Profit over and above what he is responsible for to the *Sea*. However, this Profit in the *Premium*, whatever it be, over and above the *Sea's* Share, it may seem that the *Merchant* has a Right to insure; But, from the Terms of Insurance, and the *Composition* thereby entered into, it appears, that the *Merchant* allows, though not to the *Sea* solely, yet to the *Sea* and to the *Insurer* together, the *whole Premium*; And accepts the *Remainder* as his *clear Capital*, or as all which belongs to himself; thereby absolutely relinquishing all Right to any Part of the *Premium*.

It is easy to demonstrate from hence, that when a Trade will not bear the *Charge of Insurance*, it is

is not worth while to pursue it.— For the *Premium* for Insurance as justly belongs to the Sea and to the Insurer, or to the Insurer only, who takes upon himself to satisfy the Sea, As the rest of the Cargoe does to the Merchant; And whatever Trade will not bear the Charge of Insurance, will evidently not bear the Payment of the just Expenses and Demands to which it is subject.

P R O B L E M I.

To insure so, as that the Insured, upon the Failure of the Voyage, may recover the Sum *A* clear, over and above the Charges of the Premium.

Let the Premium for the Insurance be $\frac{1}{m}$ of the Sum insured.

Put *x* for the Sum to be insured in this Instance. Then this Sum, deducting from it the Charges of the Premium, is to amount to *A*.

That is, $x - \frac{x}{m} = A$
 $x = \frac{mA}{m-1}$, or $A + \frac{A}{m-1}$.

I. E X A M P L E.

A Merchant ships for the West-Indies a Cargoe which has cost him 100*l.* here; What Sum is he to insure, so as to recover 100*l.* clear of all the Expenses of the Premium, which is 10 per Cent. for this Voyage?

Here $A = 100$
 $m = 10$

And the Sum to be insured is $A + \frac{A}{m-1}$

That is, $100 + \frac{100}{9}$
 or $100 + 11\frac{1}{9}$, or $111\frac{1}{9}$.

Thus

Thus $111\frac{1}{9}$ *l.* is to be insured, so as to recover the Sum of 100*l.* clear of all Charges of Premium. For the Premium of 10 per Cent. for insuring $111\frac{1}{9}$ *l.* is $11\frac{1}{9}$ *l.* which, deducted from $111\frac{1}{9}$, leaves 100*l.* clear of all Charges.

2. E X A M P L E.

A French Merchant has a Cargoe coming home from the West-Indies, which, if it arrives safe, will be worth 100*l.* what Sum is he to insure, so as to recover this 100*l.* clear of the Charge of the Premium, which is after the rate of 7 per Cent.?

Here $A = 100$

$\frac{1}{m} = \frac{7}{100} = \frac{1}{14.286}$

And consequently $m = 14.286$

$A + \frac{A}{m-1} = 100 + \frac{100}{13.286}$

Or 107.527, which is the Sum to be insured.

For, deducting 7 per Cent. from this Sum, the Remainder is 100*l.* exactly.

This Problem may be otherwise solved, in the following Manner:

It is to be considered, that there is to be insured,

1. { The Capital ————— } A
 in order to recover the Capital —
 2. { And since, for the Insurance of the Capital, there must be paid the Premium } $\frac{A}{m}$
 $\frac{A}{m}$. Therefore, in order to recover this Premium, there must be insured also —————
 3. { And since, for the Insurance of $\frac{A}{m}$, there } $\frac{A}{m m}$
 must be paid the Premium $\frac{A}{m m}$; In order to recover this Premium, there must also be insured —————
 4. And
- E 2

4. { And since, for the Insurance of $\frac{A}{m^m}$, there
 must be paid the Premium $\frac{A}{m^3}$; In } $\frac{A}{m^3}$
 order to recover this Premium, there
 must also be insured

And so on, in a continued Series, *in infinitum*.
 But the Series $A + \frac{A}{m} + \frac{A}{m^2} + \frac{A}{m^3} + \frac{A}{m^4}$, &c.
in infinitum, is a Series of Terms in Geometrical
 Progression, decreasing *in infinitum*, whose Sum is
 $\frac{mA}{m-1}$, or $A + \frac{A}{m-1}$, as was before discovered.

The Coincidence of which two very different
 Methods, in the *same Solution*, will not appear
 void of Entertainment to the *Curious*.

The following Method, which is an Abbrevia-
 tion of the first, seems best adapted to common
 Practice.

Let the Sum to be recovered, clear of all Charges,
 be A .

The Premium m per Cent. or $\frac{m}{100}$, which in
 Decimals will be $o.m$.

Then putting x for the Sum to be insured, so
 as to recover A , the Equation will be

$$x - mx = A$$

$$x = \frac{A}{1-m}$$

I. E X A M P L E.

Let the Sum to be recovered, clear of all Charges,
 be 100*l*.

And 10 per Cent. or 0.1, be the Rate of In-
 surance.

Then the Sum to be insured, so as to recover
 100, is $\frac{100}{1-0.1}$, or $\frac{100}{0.9}$, or $\frac{1000}{9}$, which is equal
 to 111 $\frac{1}{9}$, as before appeared.

2. Exe

2. E X A M P L E.

Let the Sum to be recovered, clear of all Charges,
 be 100*l*.

The Premium be 7 per Cent. or 0.07.

Then the Sum to be insured is $\frac{100}{1-0.07}$, or $\frac{100}{0.93}$,
 or $\frac{10000}{93}$, which is 107.527*l*. nearly, as before
 appeared.

P R O B L E M II.

To insure so, as that the Insured, upon the Loss of
 his Ship, may recover the Sum A clear, over and
 above the Premium, and the Interest also of the
 Premium for one Year.

Let the Premium be m per Cent. or $o.m$.

And let 1*l*. added to its Interest for 1 Year, be r .

Put x for the Sum to be insured.

Then the Premium upon it is mx ; And the Pre-
 mium, together with the Interest upon this Pre-
 mium for one Year, is $mr x$.

Therefore $x - mr x = A$

$$x = \frac{A}{1-mr}$$

E X A M P L E.

A Merchant here having shipped a Cargoe for the
 West-Indies; which has cost him 100*l*. in Lon-
 don, is desirous to insure such a Sum as that he
 may recover his prime Cost of 100*l*. clear, over
 and above the Premium after the Rate of 5 per
 Cent. and the Interest upon that Premium after
 the Rate of 5 per Cent. for one Year.

Thus: Suppose $A = 100$ *l*.

The Premium 5 per Cent. or $0.05 = m$.

The

The Rate of Interest, or 1 l. added to its Interest for one Year, $1.05 = r$.

$$\begin{aligned} \text{Then } \frac{A}{1-mr} &= \frac{100}{1-0.05} \times 1.05 \\ &= \frac{100}{1-0.0525} = \frac{100}{0.9475} \\ &= \frac{100,0000}{9475} = 105.54l. \text{ which is the Sum to be} \end{aligned}$$

insured, so as to answer the Condition of the Problem.

To prove which, take 5 per Cent. of 105.54, or the Premium upon it, and the Interest also of the said 5 per Cent. Now 5 per Cent. of 105.54 l. is 5.277; And 5.277, together with the Interest thereof for one Year, is 5.54; Which deducted from 105.54 l. the Sum insured, leaves 100 l. which is the clear Sum to be recovered.

P R O B L E M III.

To insure so, as that the Insured, upon the Loss of his Ship, may recover the Sum A clear, over and above the Premium, and the Interest also upon the Premium for two Years.

Let the Premium be m per Cent. or $o. m$.
And let 1 l. added to its Interest for 1 Year, be r .
Put x for the Sum to be insured.

$$\begin{aligned} \text{Then } x - mrx &= A \\ x &= \frac{A}{1-mr} \end{aligned}$$

E x A M-

E X A M P L E.

A French Merchant, upon the Balance of an Account, has 100 l. paid to his Order at Vera-Cruz in the West-Indies, which Sum will be returned home to him in the Flota two Years hence, What Sum is he to insure, so as to recover this principal Sum of 100 l. clear, over and above the Premium after the Rate of 5 per Cent, and also the Interest upon the Premium for two Years?

Then $A = 100$.
The Premium $m = 5$ per Cent. or 0.05 .
And the Rate of Interest, or 1 l. added to its Interest for one Year, $= 1.05$.

$$\begin{aligned} \text{Then } \frac{A}{1-mrr} &= \frac{100}{1-0.05} \times 1.05 \times 1.05 = \frac{100}{1-0.055125} \\ &= \frac{100}{.944875} = \frac{100,000,000}{944875}, \text{ or } 105.82l. \text{ nearly.} \end{aligned}$$

To prove which, take 5 per Cent. of 105.82, or the Premium upon it, which is 5.291: Take also this last Sum, added to its Interest, after the Rate of 5 per Cent. for two Years, which is 5.82; And deducting this from 105.82, the Remainder is the clear Capital of 100 l.

P R O-

P R O B L E M IV.

To insure so, as to recover the Sum P , and its Interest for one Year, clear, over and above the Premium upon both, and the Interest also upon that Premium for one Year.

The Premium let be m per Cent. or $o. m$; And let $1l.$ added to its Interest for one Year, be r ; Then P , added to its Interest for one Year, will become Pr : Call Pr , A ; Then this Problem is reduced to the Case of the second Problem; And x , or the Sum to be insured, $= \frac{A}{1-mr}$, or $\frac{Pr}{1-mr}$.

E X A M P L E.

A Merchant at Cadiz has 1000*l.* now due, and paid to his Account at La-Vera-Cruz, which Sum he expects home by the Flota a Year hence; What Sum is he now to insure, so as to recover his 1000*l.* with the Interest upon it for one Year, over and above the Premium, and the Interest upon that Premium for one Year?

Let the Premium be 5 per Cent. And the Rate of Interest also 5 per Cent.

$$\text{Then } \frac{Pr}{1-mr} = \frac{105}{1-0.5} \times 1.05 = \frac{105}{1-0.0525} = \frac{105}{0.9475} = 110.818l. \text{ which is the Sum to be insured.}$$

To prove which, take 5 per Cent. of 110.818*l.* which is 5.5409*l.* and is the Premium: Take also the Interest of 5.5409*l.* for one Year, which Interest is 0.277*l.*; And the Premium, together with its Interest, amounts to 5.8179*l.*, or 5.818*l.*; Which being deducted from 110.818*l.*, the whole Sum insured, leaves 105*l.* But this 105*l.* will repay

to the Merchant his 100*l.*, together with its Interest also for one Year; Therefore the Conditions required in the foregoing Example appear to be exactly answered.

P R O B L E M V.

To insure so, as to recover the Sum P , and its Interest for two Years, clear, over and above the Premium upon both, and the Interest upon that Premium for two Years.

The Premium let be m per Cent, or $o. m$; And let $1l.$ added to its Interest for one Year, be r : Then consequently $1l.$ added to its Interest for two Years, will be rr ; And P , added to its Interest for two Years, will become $Pr r$. Then put x for the Sum to be insured; The Premium upon which is $m x$; And this Premium, added to its Interest for two Years, is $m r r x$. But x is to be such a Sum, as, after the Deduction of the Premium upon it, together with the Interest of the Premium for two Years, may still amount to $Pr r$; That is, to the original Sum of P , including its Interest for two Years.

Therefore, $x - m r r x = Pr r$.

$$x = \frac{Pr r}{1-m r r}, \text{ which is the Sum to be insured.}$$

If $Pr r$ be called A , this Problem will be reduced exactly to the Case of the third Problem.

E X A M P L E.

Take the antecedent Example, substituting two Years in the place of one Year, wherever it occurs.

$$\text{Then } \frac{Pr r}{1-m r r} = \frac{110.25}{1-0.055125} = \frac{110.25}{0.944875} = 116.682l. \text{ which is the Sum to be insured.}$$

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To prove which, take 5 per Cent. being the Premium upon 116.682, which is 5.8341; And this Premium, added to its Interest for two Years at 5 per Cent, amounts to 6.4321; Which, deducted from 116.682, leaves 110.25, being exactly 100l. added to its Interest for two Years; Whereby the Condition of the Problem is answered.

P R O B L E M VI.

To insure so, as to recover the Sum P clear, and its Interest for two Years, together with what shall be paid for the Premium, and also the Interest upon that Premium for two Years, over and above all Charges.

The Premium being m per Cent, or $o. m$; And x l, added to its Interest for one Year, amounting to r , It follows, that P , added to its Interest for two Years, will become Prr . Let the Sum to be insured be x , Then the Premium upon this Sum is $m x$; And this Premium, added to its Interest for two Years, becomes $m r r x$; Which last Sum is to be recovered clear, as well as Prr . Therefore x is to be such, that, after the Deduction of the Charge of the Premium from it, there may remain $Prr + m r r x$.

That is, $x - m x = Prr + m r r x$.
 $x = \frac{Prr}{1 - m - m r r}$, which is the Sum to be insured.

E x A M-

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E X A M P L E.

A French Merchant having a Cargoe in the East-Indies, which has cost him 100 l. there, and which he expects home in two Years, desires to insure so, as, in case of Failure of the Voyage, to recover clear into his Pocket this 100 l, and its Interest for two Years, together with what shall be paid for the Premium, and also the Interest upon that Premium for two Years, over and above all Charges.

The Premium let be 10 per Cent, and the Rate of Interest 5 per Cent.

Then $\frac{Prr}{1 - m - m r r} = \frac{100 \times 1.1025}{1 - .1 - .1 \times 1.1025} = \frac{110.25}{.9 - .11025}$
 $= \frac{110.25}{.78975} = 139.6$ l. which is the Sum to be insured.

To prove which, according to the Conditions of the Problem, after the Premium of 10 per Cent. is deducted from 139.6 l, there is still to remain clear, the Amount of this Premium added to its Interest for two Years, and also the principal Sum of 100 l. added to its Interest for two Years. But 10 per Cent, or the Premium upon 139.6 l, is 13.96 l, which being deducted from 139.6 l, leaves 125.64 l. This Premium also of 13.96 l, added to its Interest after the rate of 5 per Cent. for two Years, amounts to 15.39 l; Which being deducted from 125.64, leaves 110.25 clear, And is the exact Amount of 100 l. added to its Interest after the rate of 5 per Cent. for two Years; Which answers all the Conditions required.

It would be easy to multiply Problems and Examples of this sort without Number.—But in every

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Question of this kind in the Science of Insurance, if the Ideas of the *clear Capital*, and of the *clear Capital* and *Premium*, which last together constitute the *whole Capital*, be distinctly retained in the Mind, all Difficulties will easily vanish, both in regard to Equity and Computation.

It is evident that the *French* Method of Insurance, so as to recover, upon the Balance of the Account, the *whole Capital*, instead of the *clear Capital*, is founded upon a Mistake, in conceiving that the *whole Capital* belongs to the Merchant, without any Consideration of the *defective* Part which belongs to the *Sea*. — Yet, though this be contrary to Equity, it will introduce no Difficulty in the Computation: For the *French* Merchant regards the *whole Capital* as the *clear Capital*; And the Question is to be solved accordingly. — And in all Cases this is the constant Rule, and the Sum of the Mystery, *That the WHOLE CAPITAL is to be insured, in order to recover the CLEAR CAPITAL, upon the Balance of the Account; That is, after Re-payment of the Premium.*

If the *Premium* upon any *whole Capital* be $\frac{1}{m}$ thereof, it is then evident that the *clear Capital* is $\frac{m-1}{m}$ thereof; For these two together, that is, the *clear Capital* and the *Premium*, or $\frac{m-1}{m} + \frac{1}{m}$, constitute $\frac{m}{m}$, or the *whole Capital*.

If the *whole Capital* be given, there is no Difficulty in regard to the Sum which ought to be fairly insured, which is to be the *whole Capital*. — And therefore, if the *clear Capital* only be given, all the Difficulty is to find the *whole Capital*.

But to find the *whole Capital*, when the *clear Capital* *A*, and the *Premium* are both given, and no *Interest* is to be computed upon either, hath been

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been shewn under the first Problem, where the *whole Capital*, in such Case, hath been found to be $A + \frac{A}{m-1}$.

The *whole Capital* may now also be found, when the *clear Capital* is given, by a *new general Method*, with peculiar Elegance and Simplicity.

Thus, since $\frac{1}{m}$ of the Cargoe is the *Premium*, then consequently $\frac{m-1}{m}$ of the Cargoe is the *clear Capital*.

And these two added together, or $\frac{m-1}{m} + \frac{1}{m}$, or $\frac{m}{m}$, is the *whole Capital*.

Wherefore $\frac{m-1}{m}$ is to $\frac{m}{m}$, or $m-1$ is to m , as the *clear Capital* to the *whole Capital*.

But the *clear Capital* here is *A*,

Therefore $m-1 : m :: A : \frac{mA}{m-1} = A + \frac{A}{m-1}$, as hath been already discovered by *two* different Methods.

This Solution is in reality purely *Arithmetical*, and applicable to any Questions of this sort with the greatest Ease and Perfection.

Thus, suppose, 1. the *clear Capital*, in any Case, be 100*l*; And the *Premium* 10 per Cent. — Then, in order to find the *whole Capital*, it is to be considered, since the *Premium* is $\frac{10}{100}$, that the *clear Capital* is $\frac{90}{100}$ of the whole Cargoe; that is, is 90 Parts out of 100, of which the whole consists.

Therefore, as 90 : to 100 :: so is the *clear Capital* to the *whole Capital*.

That is, in this Instance,

As 90 : 100 :: 100 : 111 $\frac{1}{3}$, the *whole Capital*.

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2. E X A M P L E.

The clear Capital let be 100l, and the Premium 7 per Cent, what is the whole Capital?

Since the Premium is $\frac{7}{100}$ of the Cargoe, it follows, that the *clear Capital* is $\frac{93}{100}$ of the whole Cargoe.

Therefore, as $93 : 100 :: 50$ is the *clear Capital* to the *whole Capital*.

That is, in this Instance,

As $93 : 100 :: 100 : 107.527l.$ the *whole Capital*, which is to be insured in order to recover the *clear Capital*, over and above the Re-payment of the *Premium*.

It is not difficult to extend the same Method of Reasoning to any of the other foregoing Problems, and to solve them in the same Manner, by the Assistance only of common *Arithmetic*: The *grand Principle* in all Cases of this sort, and the Foundation of every Solution, being this, *That the WHOLE CAPITAL is to be insured, in order to recover the CLEAR CAPITAL.* — For, since the *Premium* is to be paid before-hand by the Merchant, he ought to insure so, as to recover this *Premium* again, as well as the *clear Capital*; whereby, upon the Balance of the Account, he will obtain, as he ought, the *clear Capital* only, over and above all his Expences.

If the *whole Capital* be given, the *clear Capital* is found by deducting the *Premium* from it. The Reasonableness has been sufficiently inculcated already in this Work, of acquiescing in the *clear Capital*, and of insuring upon the just Principle of recovering *that* only, clear of all Charges. Greediness and Ignorance have hitherto, in some Instances, too much encroached upon this equitable

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ble Rule; And formed Pretensions, without Right, to the recovering and retaining of additional Sums, which have not really been disbursed by the Merchant. — But whatever Deviations, by Mistake or by Avarice, may be made from *Equity*, the *grand Principle* still continues to be true, *That the WHOLE CAPITAL is to be insured, in order to recover*, however it may be stated, the *CLEAR CAPITAL*.

This will be very strongly illustrated in a complicated Instance, by solving the Example under the *sixth* Problem, according to the last *new* Method of Proportion, upon this Principle, and by the Aid only of common *Arithmetic*.

Referring then to this Example, it appears, that the Merchant desires to insure so, as to recover, clear into his Pocket, 100l, and the Interest of it for two Years; together with whatever shall be paid for the Premium, and also the Interest upon that Premium for two Years, over and above all Charges.

Therefore, since the Premium is 10 per Cent, or $\frac{10}{100}$, And the Rate of Interest 5 per Cent, it follows, that the Premium, added to its Interest for two Years, amounts to $\frac{11.025}{100}$; And 100l, added to its Interest for two Years, becomes 110.25l; This last being the total Sum which will have been really disbursed by the Merchant, is the *clear Capital*. — But the Merchant, in this Instance, is determined to recover not only the *Premium*, which he has paid to the Insurer, but also further to recover a *Premium extraordinary*, added to its *Interest* for two Years, which he will retain in his own Pocket. Therefore *both these* are to be included in the *whole Capital*, and to constitute together the total Amount of the *Premium*, which there-

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therefore becomes $\frac{10}{100} + \frac{11.025}{100}$, or $\frac{21.025}{100}$; And consequently the clear Capital remaining is $\frac{78.975}{100}$.

Wherefore $78.975 : 100 ::$ as the *clear Capital* to the *whole Capital*.

Or $78.975 : 100 :: 110.25 : 139.6$, the *whole Capital* to be insured, as before appeared.

Of which *whole Capital*, it is to be observed, that the real *clear Capital* is no more than 110.25 *l*; The *Premium* to be justly recovered, which has been paid to the Insurer, is 13.96 *l*; And the *Premium extraordinary*, with the *Interest* upon it for *two Years*, is 15.39 *l*; Which last Sum appears to belong to the *whole Capital*.

This Solution depends upon the *grand Principle*; — And is formed according to the last new Method of finding, from the *clear Capital* given, the *whole Capital* to be insured; Since they bear to each other the same Proportion, which the *clear Part* of every 100 *l*. of the *Cargoe* upon the Deduction of the *Premium*, bears to the *whole 100 l*. And by this Method is shewn, with peculiar Perspicuity, that the *extraordinary Premium*, together with its *Interest*, which the Merchant retains in this Instance, is no Part of his *clear Capital*; And therefore, that he has no *Right* to retain it, upon an equitable Plan of Insurance; Although such kind of Insurances may be proposed as Objects of *Speculation*, or perhaps sometimes be really admitted in *Practice*.

Imagine I have 100 *l*. at *Lisbon*, which I can have remitted from thence hither in Bills of Exchange at *Par*; — It is then evident, that as there is no *Sea-Risk*, there is no *Premium* due in this Course of Conveyance. — If therefore I was to insure in this Case, it must be upon the *whole Capital*; But since the *whole Capital* is the *clear Capital*

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to be added to the *Premium*, and the *Premium* in this Circumstance is *nothing*, it follows, that the *whole Capital* and the *clear Capital* here are the same; Which is right; And vindicates, even in this Instance, the Truth of the general Rule, *That the WHOLE CAPITAL is to be insured, in order to recover the CLEAR CAPITAL*.

But suppose I order this 100 *l*. in Specie to be shipped in a Vessel from *Lisbon* hither, and that the *Premium* upon the Voyage is *5 per Cent*; It is then evident, that my *clear Capital* is only 95 *l*, And that I am to insure the *whole Capital* of 100 *l*. in order to recover my *clear Capital*. — Since by this Method of Conveyance I have subjected my Property to Hazard, and now the *clear Part* of it only remains to myself.

Imagine again, that I have 100 *l*. now due to me, and paid to my Order at *Panama*, which is to be returned to me to *Europe* by the Galleons; That the *Indulto*, or the Tax upon it to the King of *Spain*, is *5 per Cent*; That the *Premium* from *Panama* to *Cadiz* is *10 per Cent*; What ought I to insure, so as to be reimbursed at *Cadiz* in my *clear Capital*, upon the Balance of the Account?

The *Indulto* to the King of *Spain* being *5 per Cent*, the Remainder, or 95 *l*, is my *whole Capital*, which is to be insured; Of which *10 per Cent*, or 9.5 , being the *Premium*, the Remainder, which is 85.5 *l*, is my *clear Capital*.

These Problems being dispatched, it may next be remarked, that from various Accidents to Vessels at Sea, or from their being stranded on Shore, it frequently happens that some Part of their Cargoes are lost, and the rest saved; Whence arise many Questions and Difficulties, of much Nicety, in regard to *Average* and *Salvage*, between the Insured and the Insurers: — Some of which, I

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apprehend, must have an Affinity with the following Cases.

C A S E I.

A Merchant insures 500 Hogsheads of Sugar, coming from Jamaica to London, at 10l. per Hogshead, or 5000l. for the whole Cargoe: In the Voyage the Ship springs a leak, and half of the Hogsheads are thrown over-board, to save the rest; But the remaining half, which arrived safe in Port, being worth 20l. each Hogshead, or 5000l. in the whole, the Insurers insisted with the Merchant, that, since he recovered the whole Value he had insured, they were not liable to any Demand: — How ought this justly to be determined?

S O L U T I O N.

Imagine the *insured Part* of the Cargoe to be I , and the *Part not insured* to be M ; Then these two Parts added together, or $I + M$, constitute the whole Cargoe. But in this Instance there is lost one half of the whole Cargoe, or $\frac{1}{2} I + \frac{1}{2} M$. But $\frac{1}{2} I$, which is lost, is one half of the insured Value; And it belongs to the Insurers to repair the Loss of the insured Value. And $\frac{1}{2} M$ is one half of the Value not insured, which falls to the Merchant's own Loss. — Therefore, in this Case, the Insurers ought justly to pay one half of the Value insured upon the whole Cargoe.

This will be further evident, by supposing, for the present, the *non-insured Part* of the Cargoe to be *nothing*; In which Case it is plain, that the whole Loss falls upon the Insurer. — Let there be now a *non-insured Value* put into every Hogshead, equal to the Amount of the *insured Value*. If then

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then half of the Hogsheads be lost, the insured Value therein, and the non-insured Value, are both lost. But it would be very unreasonable to insist, that the Loss upon the insured Value is all to be repaid out of the non-insured Value in the Hogsheads which are saved; — Which is the same as to insist, that one Merchant's Property, which is saved, shall pay the Loss upon another Merchant's Property, which has been damaged: — Yet this is, in effect, what is urged by the Insurers, who insist, that the *non-insured Part*, which is saved, ought to make up the Loss upon the *Part insured*.

Again, it may be further considered, that the Merchant hath as good a Right to insist that the whole 5000l. shall be paid by the Insurer, since there hath been so much Value lost, as the Insurer hath to insist upon paying nothing, since there hath been so much Value saved. — But the true Decision depends upon this, That there is an *insured* and a *non-insured Part* in each Hogshead, which being separated, all the Loss upon the *insured Part*, and no more, is undeniably to be repaired by the Insurer.

And if the Sugar had come to a *fallen Market*, instead of a *risen* one, the just Demand upon the Insurers would have still been the same, or half of the whole Value insured. For in that Case, putting I for the insured Value of the Cargoe, and M for the Value not insured; Then the whole Value of the Cargoe, as before, is $I + M$. And if half of the Cargoe be lost, the Loss will still be $\frac{1}{2} I + \frac{1}{2} M$; That is, one half the *insured Value*, together with one half of the Value *not insured*. — But the *non-insured Value* is here *nothing*; Therefore the whole Loss falls upon the Value *insured*, And is consequently to be repaired by the Insurers.

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C A S E

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C A S E II.

A Merchant insures 500 Hogsheads of Sugar, coming from Jamaica to London, at 10l. per Hogshead, or 5000l. upon the whole Cargoe: The Ship in her Voyage runs a-ground upon the Coast of Portugal, and is stranded; but all her Cargoe of Sugar is saved, and comes to a risen Market in Portugal, of 20l. for each Hogshead, or 10,000l. for the whole Cargoe. — But the Charge of Salvage is 1000l, which is thereupon demanded by the Merchant from the Insurer; The Question is in this Case, What ought to be paid by the Insurer?

S O L U T I O N.

Putting I for the insured Value of the Cargoe, and M for the Value not insured, it follows, that the whole Value of the Cargoe is $I + M$, or 10,000l, in this Instance; And the Charge of Salvage is to be esteemed as a Damage spread upon the whole Cargoe: But the Amount of this Charge, or Damage, is 1000l, or $\frac{1}{10}$ Part of the whole Value of the Cargoe; That is, $\frac{1}{10} I + \frac{1}{10} M$; That is, $\frac{1}{10}$ Part of the *insured* Value, together with $\frac{1}{10}$ Part of the Value *not insured*. — Therefore the Insurer ought to pay no more than $\frac{1}{10}$ Part of the Value insured, or 500l.

This is further evident, because the Value *not insured* is saved, as well as the *insured* Value, and is equally liable to the Charge of Salvage. — And it is unreasonable to demand from the Insurer the Charge of Salvage, for a Part of the Cargoe in which he is no way concerned, which is the Part *not insured*.

C A S E

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C A S E III.

A Merchant insures 500 Hogsheads of Sugar, coming from Jamaica to London, at 10l. per Hogshead, or 5000l. upon the whole Cargoe: The Ship in her Voyage runs a-ground upon the Coast of Portugal, and is stranded, whereby 250 Hogsheads, or one half of her Cargoe is lost, the other half saved; And the Charges of Salvage amount to 1000l: At the same time the Sugar comes to a fallen Market, so as to be worth no more than 5l. for each Hogshead; What is to be paid by the Insurer?

S O L U T I O N.

Putting every thing as before, 1. Since $\frac{1}{2} I + \frac{1}{2} M$, or one half of the whole Cargoe, is lost, the Insurer is to pay to the Merchant, on this Account, one half of the Value insured, or 2500l.

2. The Charges of Salvage for the other half of the Cargoe, which is saved, and brought to a fallen Market, ought *all* to be paid by the Insurer, As he cannot pretend that any Part of these Charges are incurred upon account of a Value *not insured*. These Charges, amounting to 1000l, being therefore all incurred by the *insured* Part of the Cargoe, and to be esteemed as so much Damage upon *that Part* only, ought all to fall upon the Insurer.

C A S E

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C A S E IV.

*Three Merchants insure with three different Insurers their respective Shares of the Cargoe of a Ship coming from the West-Indies; the Property of the first Merchant being Indigo; of the second Merchant, Sugar; of the third, Tobacco: In the Voyage, upon the Vessel's springing a leak, the Goods of the third Merchant are thrown over-board by the Consent of the Ship's Crew, as necessary to their common Safety: Upon the Arrival of the Ship at home, how are the respective Demands to be adjusted between the Merchants themselves, and between them and the Insurers? Supposing each Merchant to have insured 1200*l.* upon his respective Cargoe; and that the Indigo, upon its Arrival, is worth double the insured Value; the Sugar no more than half its insured Value; and the Tobacco, if it had arrived, would have been worth only two-thirds of its insured Value.*

S O L U T I O N.

Since the Market Value of the Indigo, upon its Arrival, is 2400*l.*; The Market Value of the Sugar, 600*l.*; And the Market Value of the Tobacco, if it had arrived, 800*l.* The total Market Value of the Cargoe was 3800*l.*; which would have been the Amount of the whole Benefit received by the three Merchants, if all had arrived safe; And in proportion to the three several Parts of this whole Value, would have been the Benefit respectively received by these three Merchants; And in this Proportion ought also their respective Contributions to be towards the Charge of the Salvage.— But out of this total Value of 3800*l.*, the Sum of 800*l.* has been contributed in effect, or paid by the third Merchant for the general Salvage.— Therefore the first

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and second Merchants are each to pay to the third Merchant $\frac{800}{3800}$, or $\frac{8}{38}$, or $\frac{4}{19}$ Parts of the Values of their respective Cargoes of Indigo and Sugar; That is, $\frac{4}{19}$ of both 2400*l.* and of 600*l.*; Which are 505. $\frac{5}{19}$ *l.*, and 126. $\frac{6}{19}$ *l.*, respectively, as their several Shares of the Charge of Salvage. And the third Merchant will then also suffer himself, or contribute $\frac{4}{19}$ Parts of his Cargoe, or of 800*l.*, which amounts to 168. $\frac{8}{19}$ *l.* The three Contributions of 505. $\frac{5}{19}$, 126. $\frac{6}{19}$, and 168. $\frac{8}{19}$, amounting exactly to 800*l.*, or to the whole Charges of Salvage. — Thus every thing is justly settled between the Merchants, the Loss being fairly divided amongst them, in proportion to the real Values of their several Cargoes, and the Benefits respectively obtained from the Salvage.

The Point next is, To settle the Merchants Demands upon the Insurers. The insured Values of the Indigo, Sugar, and Tobacco, having been 1200*l.*, respectively; Their Market Values being 2400*l.*, 600*l.*, and 800*l.*, respectively; And their several Damages being 505. $\frac{5}{19}$ *l.*, 126. $\frac{6}{19}$ *l.*, and 168. $\frac{8}{19}$ *l.*; — It is then evident, that the third Merchant, whose Loss by the Sea is 168. $\frac{8}{19}$ out of his Cargoe, has a just Demand for this whole Loss upon the Insurer: For the Market Value of his Cargoe being less than the insured Value, it cannot be pretended that any Part of this Loss has been incurred by an extra Value, which is not insured. — The third Insurer, therefore, ought justly to pay 168. $\frac{8}{19}$ to the third Merchant. — By the same Rule, the second Insurer ought to pay 126. $\frac{6}{19}$ *l.* to the second Merchant. — But the first Insurer may justly say to the first Merchant, that there was in the Cargoe of Indigo an extra Part not insured, of equal Value to what was insured: And therefore, that the insured Part sustained only half of the Damage, the other half

half of the Damage being justly to be allotted to the *non-insured* Part; And therefore the first Insurer, instead of $505\frac{1}{9}$, ought only to pay $252\frac{1}{9}$ *l.* to the first Merchant.

It will probably appear extraordinary, that the three Insurers should be liable to pay $168\frac{8}{9}$ *l.*, $126\frac{6}{9}$ *l.*, and $252\frac{1}{9}$ *l.*, respectively, when they were each responsible for the *same Sum* of 1200 *l.* upon the *same Voyage*. — But the short Answer is, That these Sums are the respective Damages sustained by the several Cargoes which they insured.

—— If these Cargoes insured had been in *different Ships*, there would be no Difficulty in the Admission of *different Damages*; And it is equally certain, that in the *same Ship*, *different Parts* of the Cargoe may be *differently* damaged.

But waving further Speculations of this sort, which are out of my Province, however curious, and which I have here undesignedly fallen into, I advance to examine a political Point of the highest Importance, which is, *Whether our Insurance of the Ships of our Enemies be a national Advantage?*

It is easy to see, that by this Practice, in time of War, we are rendered subject to continual Frauds: For as our Enemies may insure upon having *Interest or no Interest* in their Ships, how practicable is it for them to insure a great Sum upon Ships, wherein they have little or no Cargoe, And to order these Ships to cruize in such a manner, in the Course of their pretended Voyage, that they may be almost sure of being captured by our Men of War, or Privateers! — In which Case, for the Payment perhaps of every 20 or 25 *l.* in *Premia*, there are sure to recover 100 *l.* from our Insurers. — And this is what is said to have been lately practised upon Ships fitted out at *Bayonne*.

Insurances upon *Interest or no Interest* in the Cargoe, have for Plea, I presume, the avoiding of

Trouble

Trouble and Disputes in ascertaining the Right to the Property; Upon the same Foundation as *Goldsmiths* and *Bank Bills* are made payable to the Bearer, without further Enquiry. — This, I apprehend, is the strongest Argument in their Favour: But there is evidently this Difference, that in regard to such Bills, there is an indisputable Property belonging to the *Drawer* of the *Bill*, though how the *Bearer* obtains the Possession of it, is uncertain; Whereas, in Insurances of *Interest or no Interest*, there may be no Property belonging to any Person. — Besides, in the Case of the Bills, the original Intention is obtained and preserved, which is *the easy Circulation of Property*. — But Insurances having been originally calculated, and in their Integrity still directed, for the Support of Navigation and Commerce, may by this Application of them be directed to the Destruction of Shipping; And deviate entirely from being an Encouragement of Industry and Trade, into a Temptation to Frauds and Commercial Abuses. — This sort of Insurance further, having no Foundation in Property, carries with it an *Absurdity*, in engaging to secure what is not standing out upon Hazard, nor really exists; And consequently falls into a downright Scheme of *Gaming*, where the Insurer and Insured wager together a particular Sum respectively, upon the Success of a Voyage. It is therefore, in reality, liable to the same Objections as *Gaming*, which is generally prohibited under wise Governments. — And upon the whole, this Practice, though it may have its Conveniences upon some Occasions, appears to open a Door to so much Mischief, without being absolutely necessary to upright Commerce in general, that in my Apprehension it ought not to be admitted.

But to return to the general Point of *insuring the Ships of our Foreign Enemies*. Let it be admitted,

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that the Premium for insuring the *French Ships* from *Martinico* and *St. Domingo* is $33\frac{1}{3}$ per Cent; And that out of this $32\frac{1}{3}$ per Cent. is the real Probability of the Loss of each Ship, and 1 per Cent. the Profit given to our *Insurers* for their Trouble. This Premium of $33\frac{1}{3}$ per Cent. is here particularly mentioned, as it is the *highest* which in general has been given for the Insurance of these Vessels.

The first Argument I have heard in favour of these Insurances is, That *we draw to ourselves hereby the certain prodigious Benefit of $\frac{1}{3}$ of the Value of the whole French Commerce.*

In answer to which, it appears from the foregoing Distribution of the two Parts of the Premium, that the *Insurers Profit* upon these Ships is no more than 1 per Cent. or $\frac{1}{100}$ Part of the Value of their Cargoes. The other $32\frac{1}{3}$ per Cent. being *otherwise due* to our Men of War and Privateers, and which would be due to them upon a fair Composition with the Enemy, if there was no Insurance. — All that it can then be pretended we gain, is the *Insurer's Profit*, over and above what is otherwise due to our Captors. And this Profit being reduced very low by the Multitude of rival Insurers, may perhaps not have exceeded 1 per Cent, if their Gains be fairly computed. — Thus it evidently appears from this Instance, that all the Gain which we draw from these Insurances, instead of being *one third Part*, is only *one hundredth Part*, of the *French Commerce*.

It may however still be urged, that *if our Gain from insuring these French Ships be no greater than 1 per Cent. of their Value, yet still this being a considerable public Advantage upon the whole, ought not to be rejected.*

To which it is to be answered, that if the whole Balance was to be settled between us and the *French*, upon the foot of this single Account, we should be

Gainers

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Gainers thereby of 1 per Cent upon the Value insured; And upon a *Million* of Property insured, our Gain would be 10,000*l.*, which is no prodigious national Acquisition. — But if we consider the Gain of our Enemies from our Insurance of their Ships, and place their Gain opposite to ours, it will then truly appear, upon the whole, on which Side the Balance lies, from this new Commerce of Insurance.

To begin with the *English Side* of the Account, As our Gain will be most easily summ'd; It appears, that the whole which we acquire hereby is only about 10,000*l. per Annum*, without any Augmentation of our Shipping or Commerce.

On the *French Side* of the Account, the first Article of their Advantage from these Insurances is, *Tranquility and Peace of Mind* to numerous Families of their best Subjects, in *Europe* and *America*; An Article of no small Importance to the Welfare of a People, and is therefore by them so earnestly solicited. — It is easy for every one to be informed, from his own Breast, of the Disadvantage it is to any busied Person to labour under continual Anxiety; And that Peace of Mind is of great Importance to his Abilities, to his steady Pursuit, and Success in his Affairs.

To this is to be added another Article of high Advantage to the *French*, which is *Security* from a large Quantity of *Distress* and *Ruin*, they would otherwise incur. — For if, out of every *three* Merchants, *one* is absolutely ruined, and *two* escape with considerable Gains, there will be a much greater Quantity of *Distress*, upon the whole, than if all *three* are *fined* according to their Abilities. — In one Case, you see absolute *Ruin* to *many*, and *Terror* to the *whole*; In the other Case, neither *Ruin* nor *Terror*, but a *general frugal Security*.

Besides, our Insurers in many Instances *transfer* the *Anxiety* and *Terror* from the *French* to them-

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selves: For though it hath already been proved, that a large Body of Insurers, joining together in a great many Voyages, are not subject to much Hazard upon the whole, if the Chances in each Voyage are in their Favour; And therefore, that they need not suffer Anxiety. Yet, as it often happens that some of them will adventure through Greediness, or particular Accidents, to be deeply engaged upon *one* Ship, Instances are too frequent of the Distress of our Insurers; And the constant Uneasiness of many of them is very obvious. — Whence it evidently appears, that by this Practice of Insurance we not only relieve our Enemies from their Miseries, but substitute ourselves in a great Part thereof in their stead; — Which is a Folly approaching to absolute Madness.

It is further to be remarked, that the *French* generally insure so as to recover, upon the Balance of the Account, not only their *clear Capital*, but the *Premium* also; So that they are Gainers by the Loss of their Ships, and may justly smile at the Efforts of our Captors.

There is a further Evil arising from this Practice of insuring the Ships of our Enemies, which is, That our Insurers are rendered thereby *bad Subjects* to their Country: For as *Self-preservation* will be apt to prevail over all other Motives, they cannot but repine at the Capture of the Enemy's Ships, and rejoice in their Escape. And thus it is the melancholy Effect of this Practice, to render many of the most active and vigilant money'd Persons amongst us, averse to the Success of the Arms of their Country, and anxiously wishing for the Deliverance of its Enemies.

Another Article of Gain to the *French* from our insuring their Ships, is a *solid Credit*, and *Ability* they acquire thereby to maintain their Commerce, which would otherwise be lost; It being evident, that

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that if the Properties of the *French* Merchants stood out upon Adventure, without being insured, they have no certain Foundation of Credit; And would be unable to borrow Money to furnish out new Cargoes, until the Event of those which were outstanding should be determined.—For they can give no *solid Security* to any Lender, and of course a great Part of the Money which is now intrusted in their Hands by cautious and prudent Persons, would be immediately withdrawn.

The Consequence of which would be, that their *Manufactures*, and *Shipping* at home, and *Plantations* abroad, would all instantly languish and die, the Merchant being no more able to set them at work: — So that it appears from hence, that by the Insurance of the *French* Ships, not only their particular Cargoes are insured, but also the *Manufactures*, and *Shipping* of *France*, and her *American* *Plantations*, to an immense Amount. — View then the prodigious Diminution which would happen to the *French* Commerce for want of Insurance!

Thus the *French* draw amazingly greater Advantages from this Practice than may at first be perceived; And if *we* annually acquire 10,000*l.* by these Insurances, *they* preserve many Millions, which would otherwise be lost to them: So that, upon the *Balance* of the Account, as it now discovers itself, it is evident, that by this Commerce of Insurance between the two Nations, they are immense Gainers.

But the Account is not yet closed; — For it is further to be considered, that as the *French* and *We* are *Competitors* in Trade, almost all which is preserved to *Them* is intercepted from *Us*. — This is evidently true in regard to their *Woollen* *Manufactures*, and to their *Sugars*, *Fishery*, and the greatest Part of the Produce of their *American* *Plantations*. — It fully appeared in the Year 1719, when

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when the *Plague of Marseilles* had stopped the Vent of the *French* Woollen Manufactures, that the foreign Demand and Consumption of *Ours* was thereby vastly increased; And it is plain, that before the prodigious Increase of the *French* Sugar Colonies, we vended large Quantities of Sugar in the *Baltic, Holland, Germany, and the Mediterranean*; Which Markets have been since supplied by the *French*; And that now, if their Sugar Colonies were ruined, our own would be almost proportionably increased.

How surprizing an Effect *their Loss, and our Gain* at the same time, will have upon the Proportion of Trade and Wealth between the two Nations, is fit to be particularly explained. — For suppose the whole Value of the *British* Trade, be to the whole Value of the *French* Trade, as 3 to 2, — Let now the *French* lose *half* of theirs, and let us gain it; Then will the Proportion become no less than 4 to 1 in our Favour. — Again, Suppose the whole Value of the *British* Trade to the whole Value of the *French* Trade as 2 to 1, — And let the *French* lose *half* of their Trade, and let us gain it; Then will the Proportion be as $2\frac{1}{2}$ to $\frac{1}{2}$, or no less than 5 to 1. — How pernicious then is that Commerce, which has prevented such great Effects in our Favour!

But there is, as I conceive, a third Argument, which will probably be used in favour of Insurances, which is, *That it is the Business of every Commercial People to deal in all Articles of Trade, and to keep their Country the great Magazine of all Sorts of Commodities*; In the same Manner, as judicious private Traders keep many Commodities, by which they are likely to gain little, in order to preserve the general Resort to their Warehouses.

To this it is to be answered, that it is not a similar Case. — For considering *Britain* as one Trader,

Holland

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Holland as another, and *France* as a third Trader; It may be right indeed for either of them to have in their Storehouses not only the Commodities which are in general Demand, but some of those which are little required, provided these last exhaust not too much Property: — But will it be prudent in any private Trader to insure the *bad Debts* of a Rival Trader, and to support the Credit of his Competitor, from whose Failure he should draw the whole Business to himself? — This last is the Case of our insuring the *French* Commerce.

Another Argument is, *That if we don't insure the French Ships, they will be insured by the Dutch, or the French will become their own Insurers.*

The Answer to this is, that if the *Dutch* shall insure the *French* Ships, they will act very injudiciously. — If the *French* shall enter into Societies for insuring their own Ships, they will act wisely. — But whatever other Nations do, which we cannot prevent, it is our Business to order our own Policy aright, and to give no Advantage by our own Fault to our Competitors.

There are some Gentlemen, upon this Occasion, who fall into a Course of declaiming against all *Commercial Prohibitions and Restraints*; And have a Creed, which they repeat by heart, That the *Current of Trade* should be *free*, and not interrupted by any Obstacles. — Such Gentlemen have no Idea of the *Act of Navigation*, without which the *Dutch* would supply the Wants, and receive the Produce, of all our *American Colonies*: They have no Notion of our checquing the *French Linen and Silk Manufactures* imported amongst us, with excessive Duties; without which our own *Linen and Silk Manufactures* would be immediately ruined. — The Prohibition of the *Exportation* of our *Wool* is founded upon solid Reasons, too obvious

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to want Explanation. — It is indeed true, that the *Current of Trade* ought not to be *stopped*; but it ought to be prevented from flowing into *wrong Channels*, and to be directed into such as are *right*. Restraints and Prohibitions in Commerce are therefore neither new, nor dangerous Expedients; And any Argument against our prohibiting the Insurance of *French Ships*, from the general Topic, that all Prohibitions are bad, appears to be quite invalid.

There is another Argument, said to have been used in favour of these Insurances, which is, *That they must have been found by Experience to be advantageous, because if it was a losing Commerce, the Insurers in a Course of Years must be sensible of it, and would relinquish the Business; Instead of which, the Number of Insurers has been continually increasing, and many new-ones are daily crowding into the Business.*

To this is to be answered, that it is readily allowed that the Insurers themselves are Gainers by their Business. — It has been expressly supposed, and admitted, that they have, and ought to have, a *Profit* in the *Premium*; But does it therefore follow, that a Business is profitable to the Public in general, because it is advantageous to particular Dealers? — The *Owlers*, or *Exporters* of our *Wooll* to *France*, find their Business advantageous, And may urge, that they draw Money thereby into the Nation; But it is evident, that the Public receives from thence prodigiously less, than the *French* gain by this Commerce; And much less than the Public would otherwise receive, if the *French* had not our *Wooll* in support of their own Manufactures. — The Case has already been shewn to be exactly the same in our Insurances of *French Ships*, by which is drawn into the Pockets of our Insurers a small Sum, over and above what they repay; And thereby Advantages immensely greater are given

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given to the *French*, and lost to ourselves, which we should otherwise gain by the Interruption and Ruin of the *French* Commerce. — It seems then to be very short Reasoning to infer, because a Commerce is advantageous to particular Dealers, who grow more numerous, that it is therefore nationally advantageous.

It deserves solemn Attention, that our Insurers, in reality, oppose all the *Efforts* of the *State* to destroy our Enemies: — For whilst our *Admiralty* is designing the total Capture of the *French Ships*, and exerting the Maritime Force of the Nation to ruin the *French* Commerce, our *Insurers* step forth, and agree with the *French* Merchants to guaranty their Commerce; And that their Loss shall not exceed 15, 20, or 33½ *per Cent*, or whatever is paid for the Premium, from both the Sea and our Captors. — So that they actually intercept the Blow meditated by the Government against our Enemies; And, upon a certain Bribe being paid to themselves, place the *French* Commerce in a State of Security.

Put the Case, that the *French* have entirely insured any of their outward or homeward-bound Fleets, as their late *St. Domingo* Fleet is supposed to have been, at any Premium, as suppose 20 *per Cent*. upon a Medium. — Imagine now, that the *British* Ministry, or Admiralty, by the Interception of a *French* Pacquet, or by any other Intelligence, are informed, that the Rendezvous of the whole *French* Fleet is to be in a certain Latitude; And that a Squadron of *British* Men of War may be so stationed, as to be morally certain of *destroying* or *taking* the whole *French* Fleet. — An Event of this sort will shine in the *Gazette*, and be celebrated with public Illuminations. — But what will be the Consequence? — It is evident, that if the *French* Fleet be *destroyed*, our *Insurers* are responsible

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sponsible for it to the *French*: — Therefore, in the Case of the *Destruction* of their Fleet, even upon a fair Insurance, we shall have the Value of all this Fleet to pay to the *French*, towards which our Insurers have only received $\frac{1}{5}$ Part, for the *Premia*: — Whence it appears, that there will be a clear Loss to the *British* Nation of $\frac{4}{5}$ of the Value of the whole *French* Fleet, from this Event.

But suppose that the *French* Fleet, instead of being *destroyed*, is all *captured*; — Our *Captors* then gain the whole from the *French*, And the *French* recover again $\frac{4}{5}$ thereof clear from our *Insurers*: — So that, upon the whole, we acquire only $\frac{1}{5}$ Part of the Value of this Fleet, or the *Premia*, which we should have acquired, if this Capture had not happened. — Thus, upon the Supposition that the whole *French* Fleet is *insured*, we shall neither gain nor lose by the *Capture*: — Therefore the Destination of our Squadron to this Expedition, *at the best*, will be absolutely useless; And the public Treasure and Strength, in Money, and Ships, and Men, to the Amount of perhaps 2 or 300,000*l*, will have been all wasted and squandered away, to no Purpose, upon this Event.

It is therefore high time for serious Enquiry, whether, under the present *Practice* of *insuring* the *French* Ships, the greatest Part of our public naval Expence, so solemnly provided, and appropriated by the Legislative Body of the Nation, may not, upon many Occasions, be fruitlessly directed: For, *after French Ships are insured here*, it is ridiculous to employ our Maritime Strength in *taking* them, since then *all* the *Loss* will fall upon *our own Insurers*. — It is indeed certain, that the *more* of our *Enemy's* Ships we take, the *higher* the *Premia* will be raised upon them in *future* Voyages; And, consequently, the greater Deduction will be made out of their *future* Profits. But in regard to a
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present Voyage which is *insured*, the *Premia*, having been fixed and paid, are not at all affected by the *Capture*. — And after any Fleet of *French* Ships have been here *insured*, the Success of our naval Force in *destroying* that Fleet will be our national Loss, to the Amount of the whole *clear Capital*, And our *Capture* of that Fleet, though accomplished with great Expence, will be entirely insignificant to Us, upon the Balance of the Accounts of our Insurers.

It is not to be suppressed, that *Suspicious* have been held, of *Intelligence* being given to the *French* of the Stations of our Men of War, by *our own Insurers*; And it is certain they have strong Temptations to contribute to the *Escape* of the Ships they have *insured*, if our *Enemies* shall *then* desire to escape. — It is not to be expected, that *Intelligence* will be given to our own *Admiralty* by our Insurers, which would be to bring upon themselves their own Ruin. It is more easy to conceive that they will chuse to give *Intelligence* to our *Enemies* how to escape, and that our *Enemies* may accept it, when their Ships happen not to be *insured* to their full Value. — That Informations and Agreements of such kind have been made, is by no means incredible: For *Intelligence* is continually passing between our *Insurers* and the *French*, from the Nature of this Dealing; It being evident, that in order to shew the Hazard of a *Capture*, our Insurers must point out the Squadrons, and detach'd Vessels of ours, which will be liable to intercept the *Enemy's* Ships in their Passage. This will be expected as reasonable and fair, that the *Premium* may thereby be equitably ascertained. — It appears thus, that there is some kind of *Necessity* under this Dealing, that the *French* should be informed of the Force, and Number, and Stations of our Men of War, by our Insurers; And
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that such Information will be applied by the *French*, and redound, to the Security of their Trade, is not to be doubted; Any more than it is, that a Commerce, which furnishes such Informations to our Enemies, is a Mischief to the Public.

If, after the *Premia* were raised to a great Height, and the *French* at this Rate had insured a large Fleet, it could be so managed, that no Part of our naval Force should be employed in intercepting this Fleet, but to other Purposes, The whole *Premia*, excepting so much as was due for the Hazard of Shipwrecks, would be gained to the Nation, without our incurring any naval Expence. — May it therefore be proposed, that our *Insurers* should signify to the *Admiralty*, from time to time, what Fleets of our Enemies they have thought fit to *insure*, in order to prevent the Direction of our Maritime Force to useless Expeditions. — However *ludicrous* this may seem, if the Commerce of insuring our Enemies is to be suffered to continue, it would be no improper *Intelligence* to our *Admiralty*.

The *French* on their Part draw Benefit from this Commerce in numberless Shapes; — They are more wise than to employ the chief Part of their naval Force in *convoying* their Trade, since the *British* *Insurers* will undertake to convoy it safe, for a much less Expence than the Cost of a Squadron. — It will be more prudent in the *French* to employ their Maritime Force in other important Attempts, such as attacking the Province of *Nova-Scotia*, or our valuable Settlements in the *East-Indies*.

It is thus that the *French*, with *three* Men of War, shall engage in Attempts of as great Importance, as we shall with *ten*; Which will be, if *seven* of our *ten* Men of War are employed in the Capture of *French* Ships, which are guaranty'd by our own *Insurers*. — And if it be said, that *France*

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at the same time bears the Burthen of high *Premia* upon her Trade, it must be remembered also, that she saves the Expence both of Men and of Treasure in *Squadrons* for *Convoy*.

It has been seen, and appeared to our Astonishment, in the Course of this War, how great the Amount is of the *French West-India* Commerce; — And it may deserve to be seriously considered, that if their Merchants can *now*, during the War, support their Plantation Trade under such heavy *Premia*, how prodigious will their Increase be, upon a Peace, when they are relieved from this Burthen! Especially if it be remarked, that their Merchants in general, and particularly their *Planters*, by *insuring* their Ships at present, not only preserve their Trade, but, from the large *Premia* they bear, are led into a Course of *Frugality* and *Economy*; — A *public Habit*, which cannot fail of procuring to them the widest Advantages; Instead of having some of their *Planters* ruined, and some elated by Success into great *Extravagance*, as would have been the Event without our *Insurances*.

F I N I S.

The first part of the document is a letter from the Secretary of the State Department to the Secretary of the War Department. The letter is dated 1864 and is addressed to the Secretary of the War Department, Washington, D.C. The letter is signed by the Secretary of the State Department, William H. Seward. The letter discusses the appointment of a new Secretary of the War Department and the transfer of the War Department's files to the State Department.

The second part of the document is a letter from the Secretary of the War Department to the Secretary of the State Department. The letter is dated 1864 and is addressed to the Secretary of the State Department, Washington, D.C. The letter is signed by the Secretary of the War Department, Gideon Welles. The letter discusses the appointment of a new Secretary of the War Department and the transfer of the War Department's files to the State Department.

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